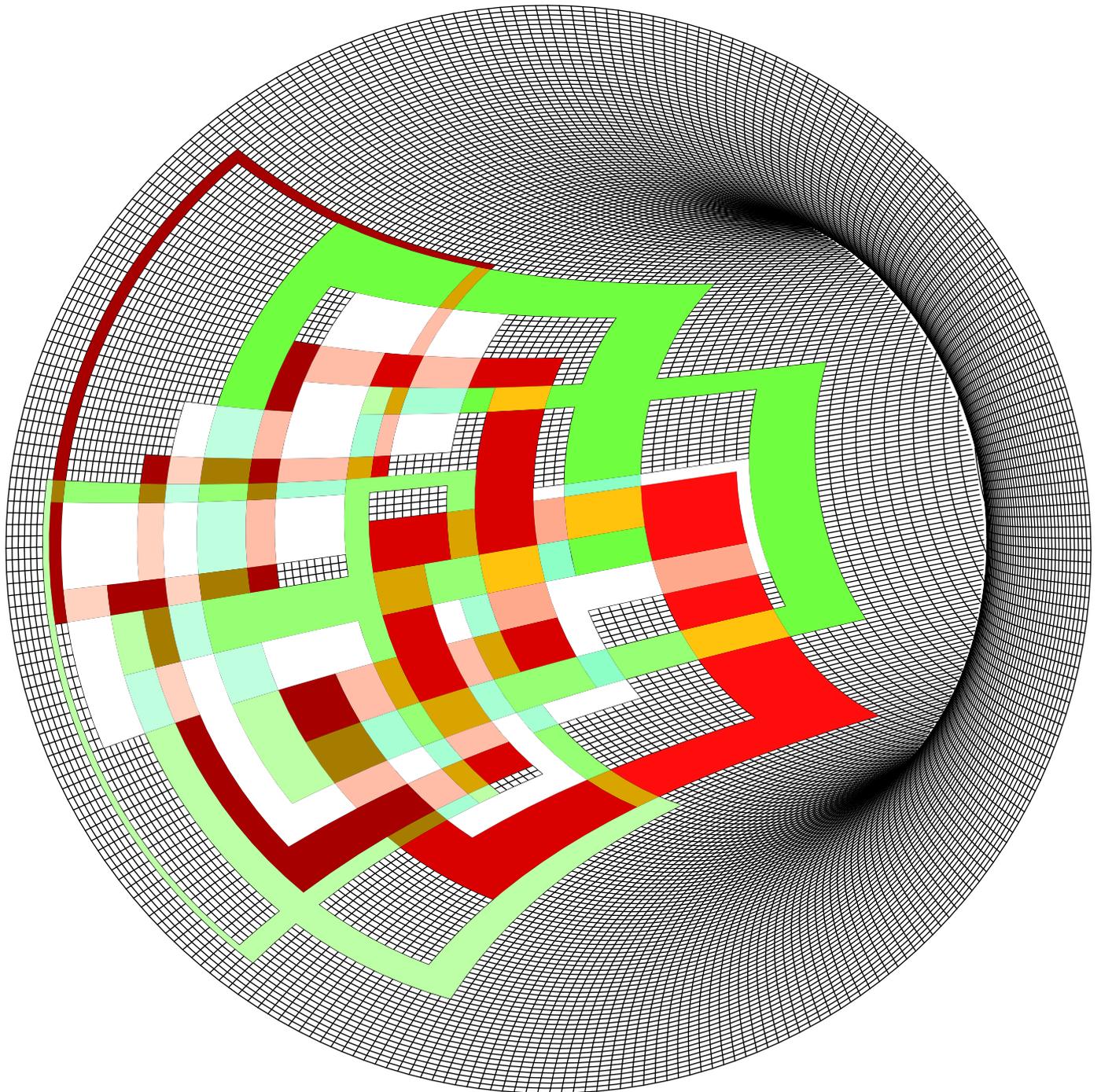


KNOTS IN KNOTS IN NETS.

$6 \times 4 \times 2 = 48$ constructed images of knots forming each other in spatial nets by Axel Rohlf.



KNOTS IN KNOTS IN NETS.

6 x 4 x 2 = 48 constructed images of knots forming each other in spatial nets by Axel Rohlfs.

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and my own website: www.axel-rohlfs.de

and for my dissertation: www.arthistoricum.net

Rohlfs, Axel (2023, dissertation/ English version):

Art, algorithm and ambiguity. Aesthetic ambiguity with regard to metacognition based on visual semiotics, visual rhetoric and Gestalt Psychology.

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or the longer German version of my dissertation:

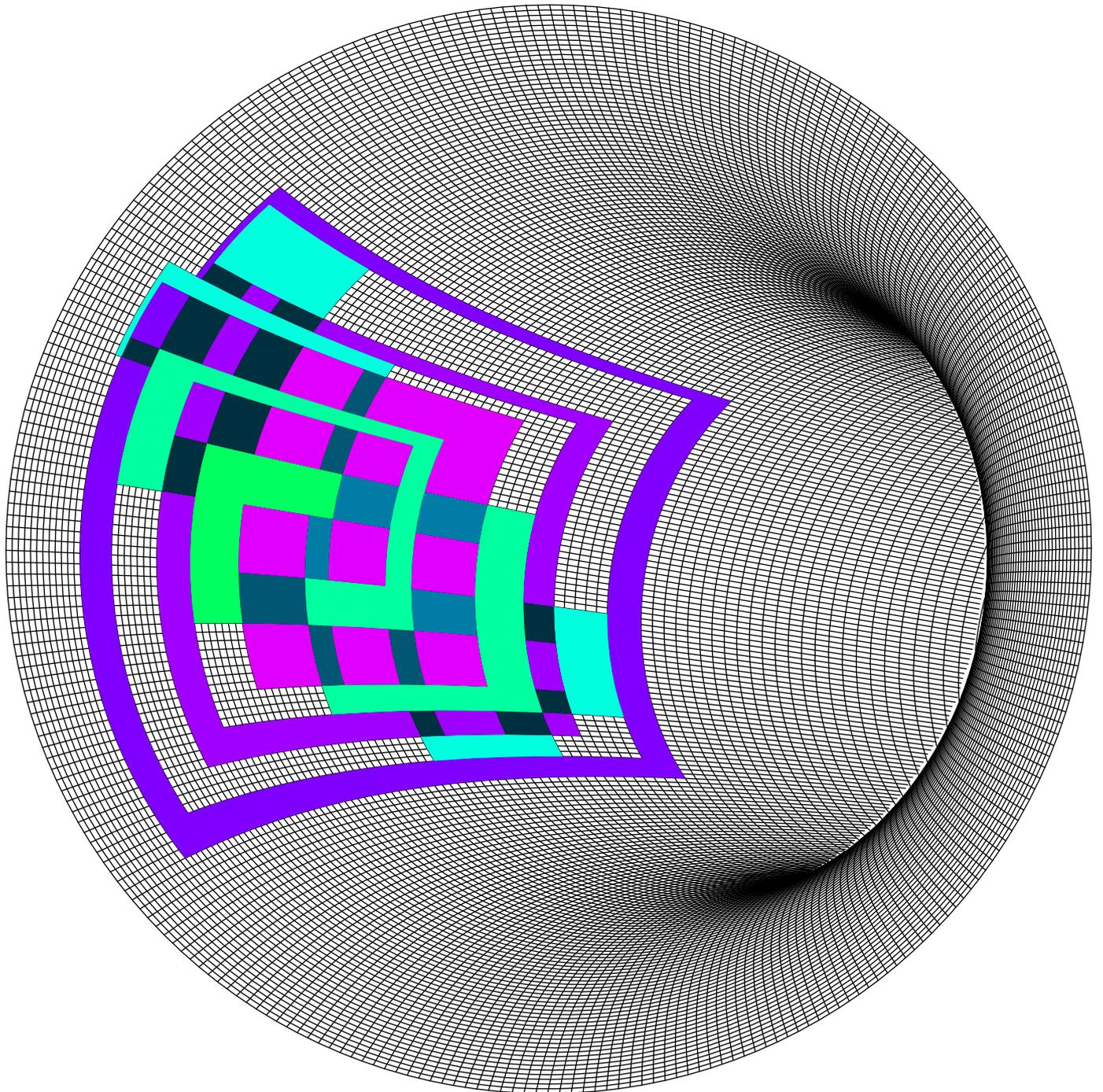
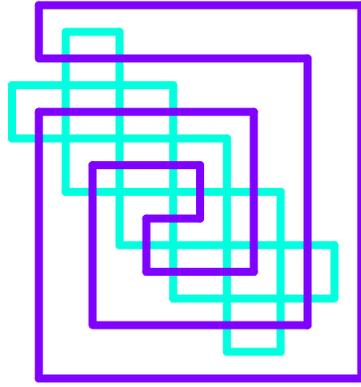
Rohlfs, Axel (2023, dissertation/ German version):

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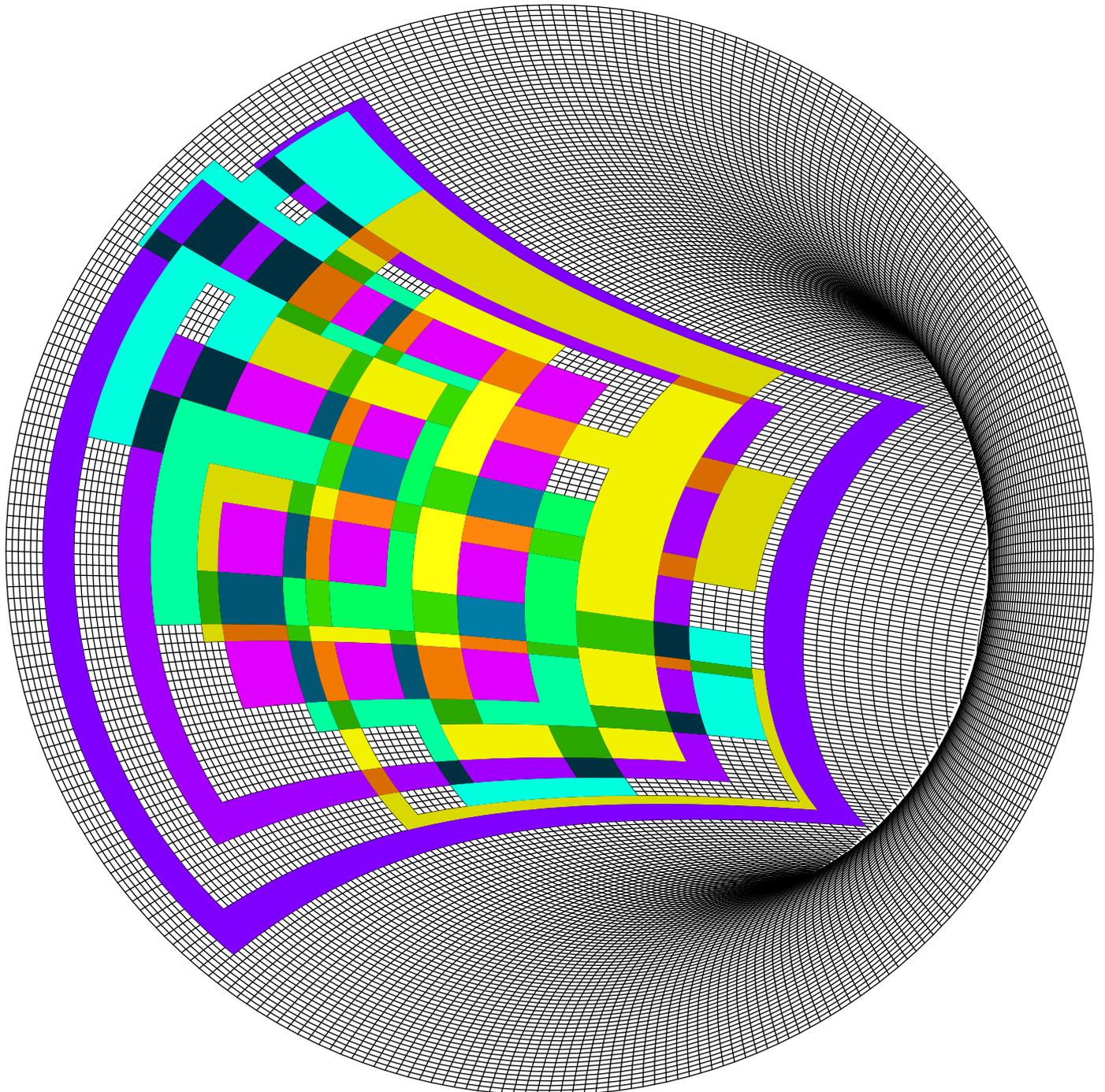
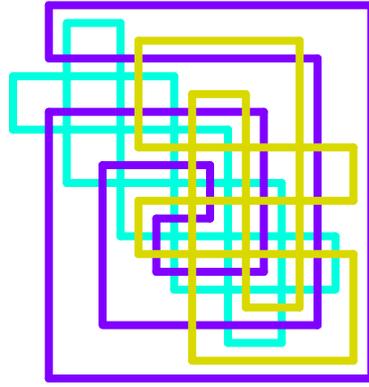
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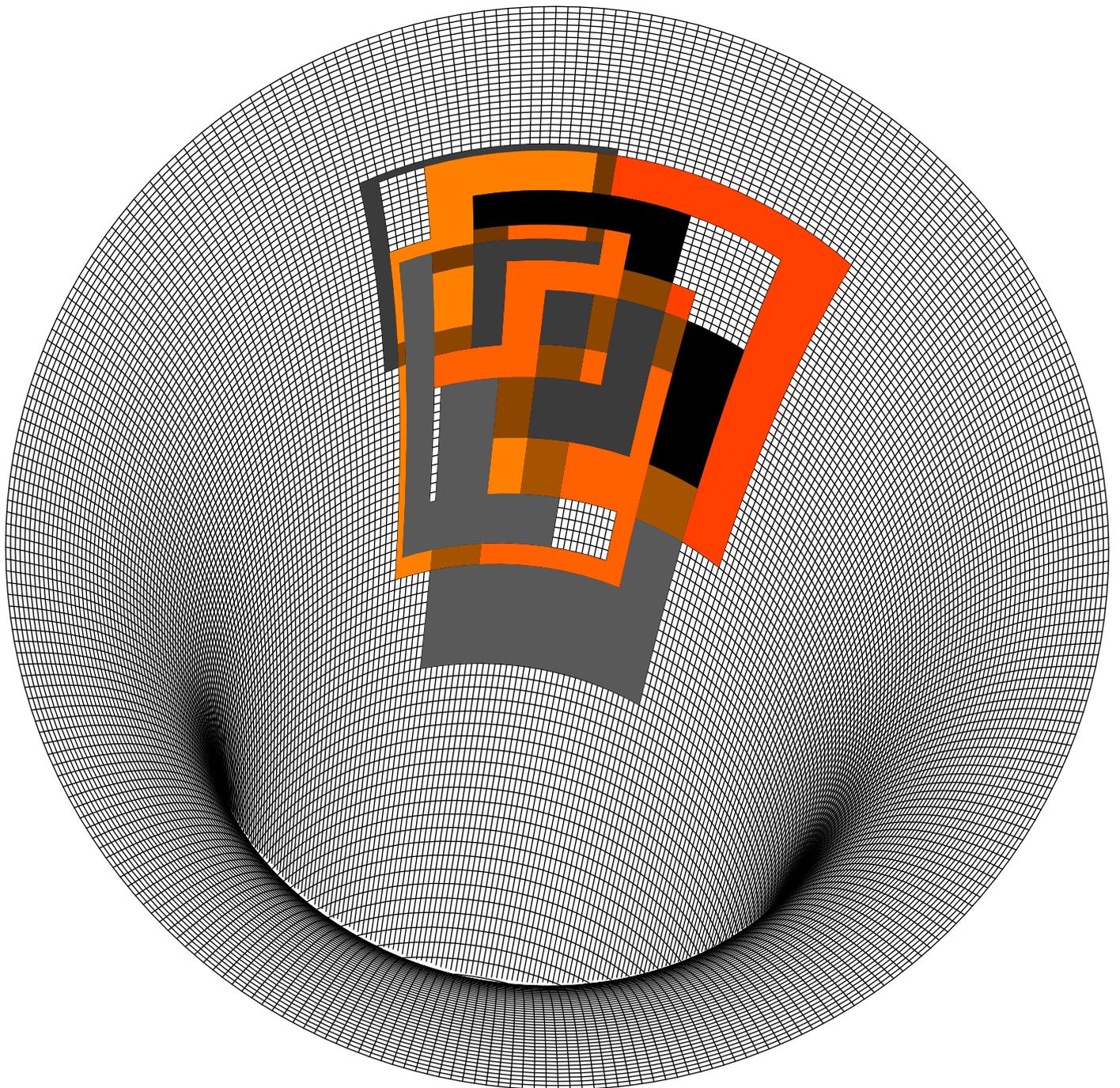
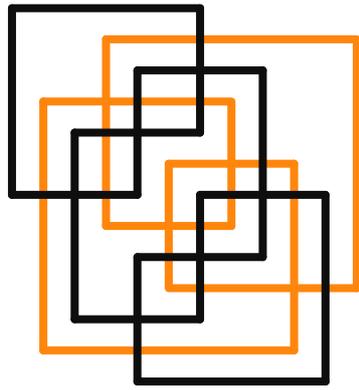
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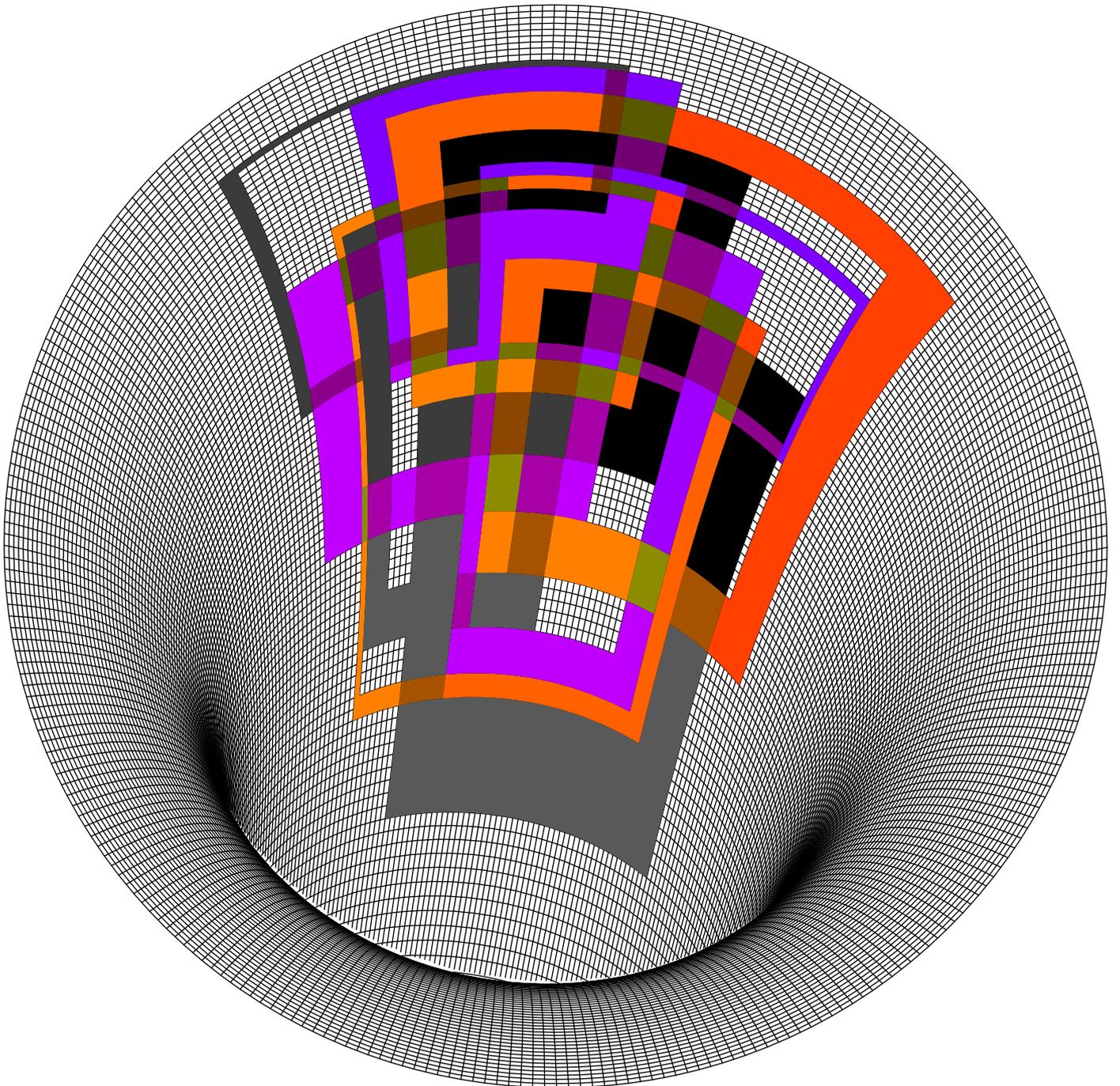
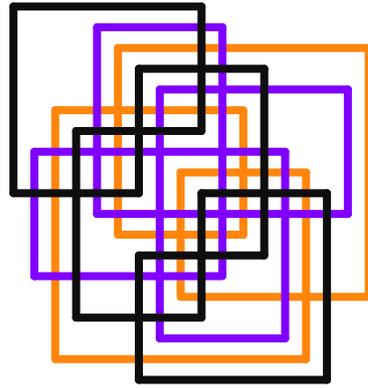
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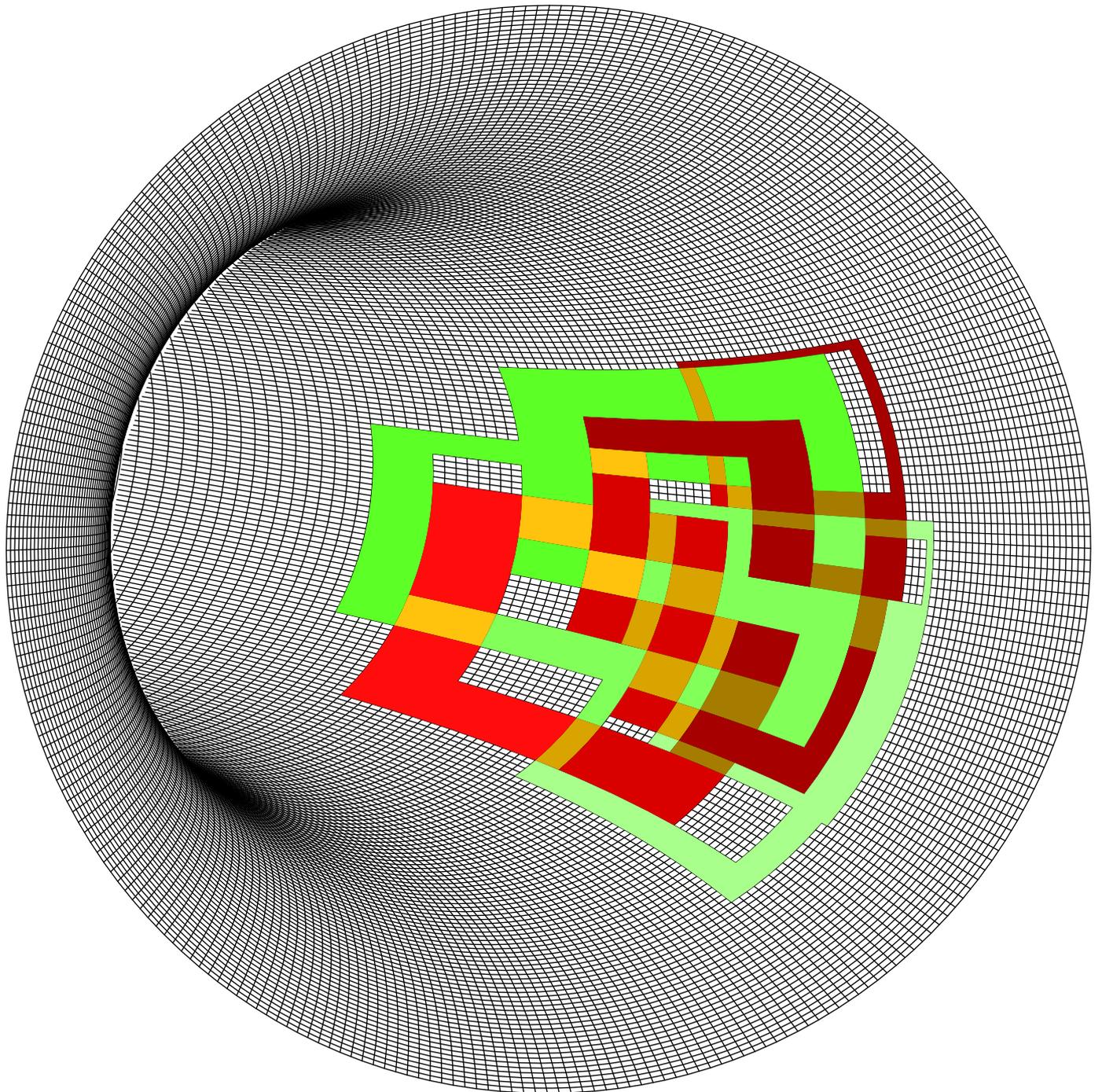
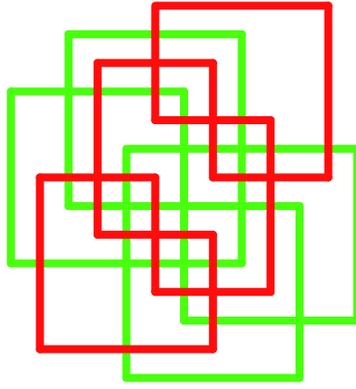


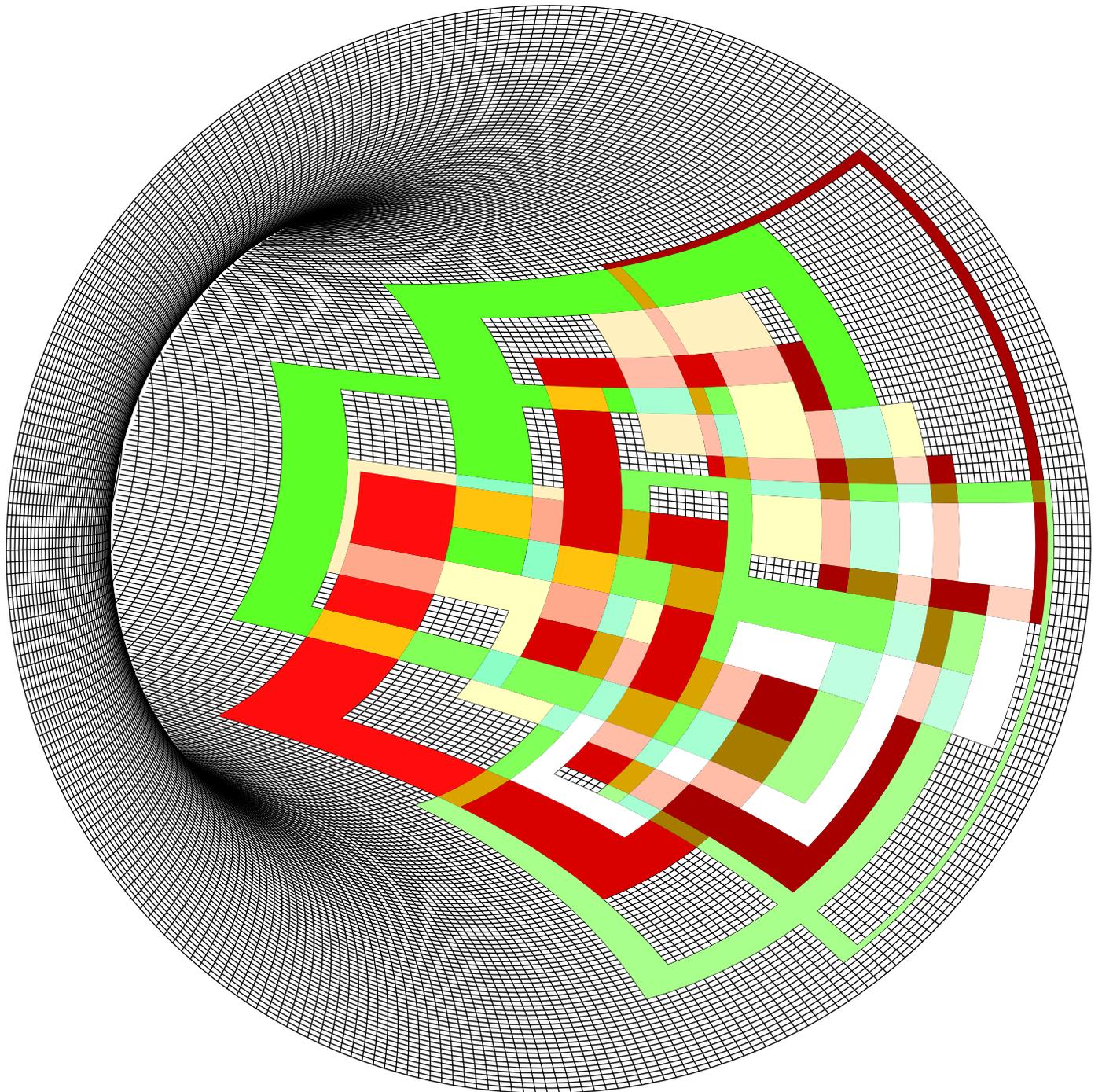
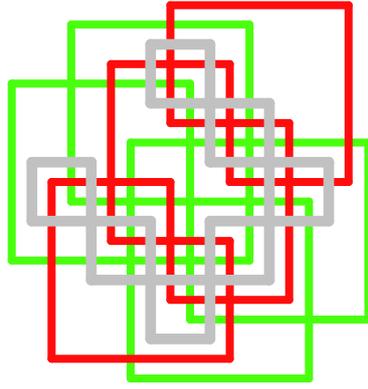
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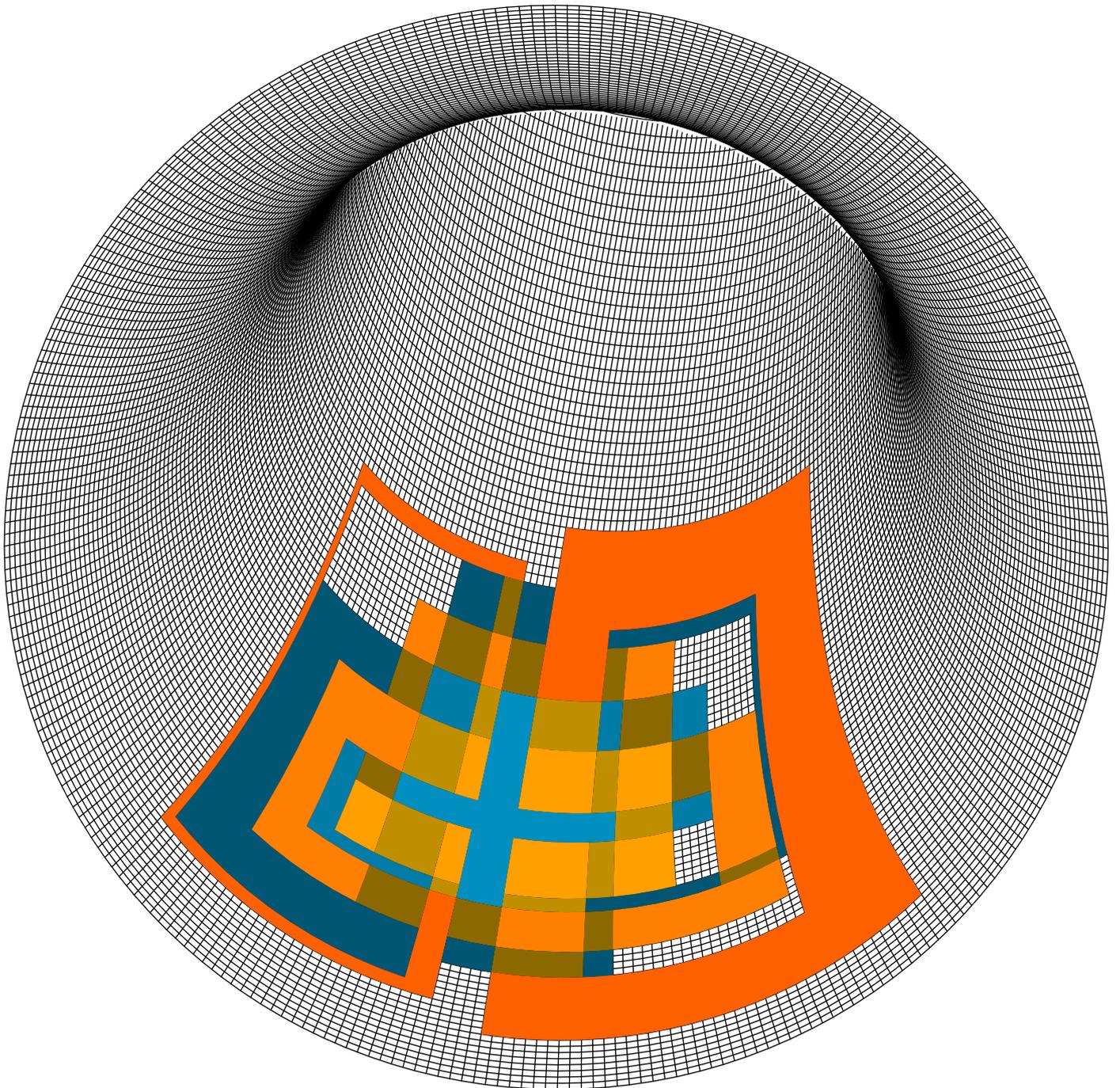
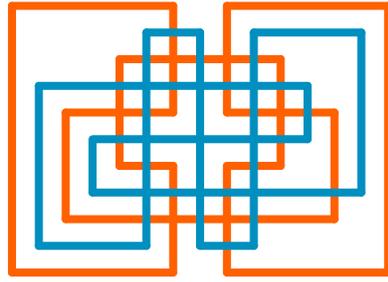


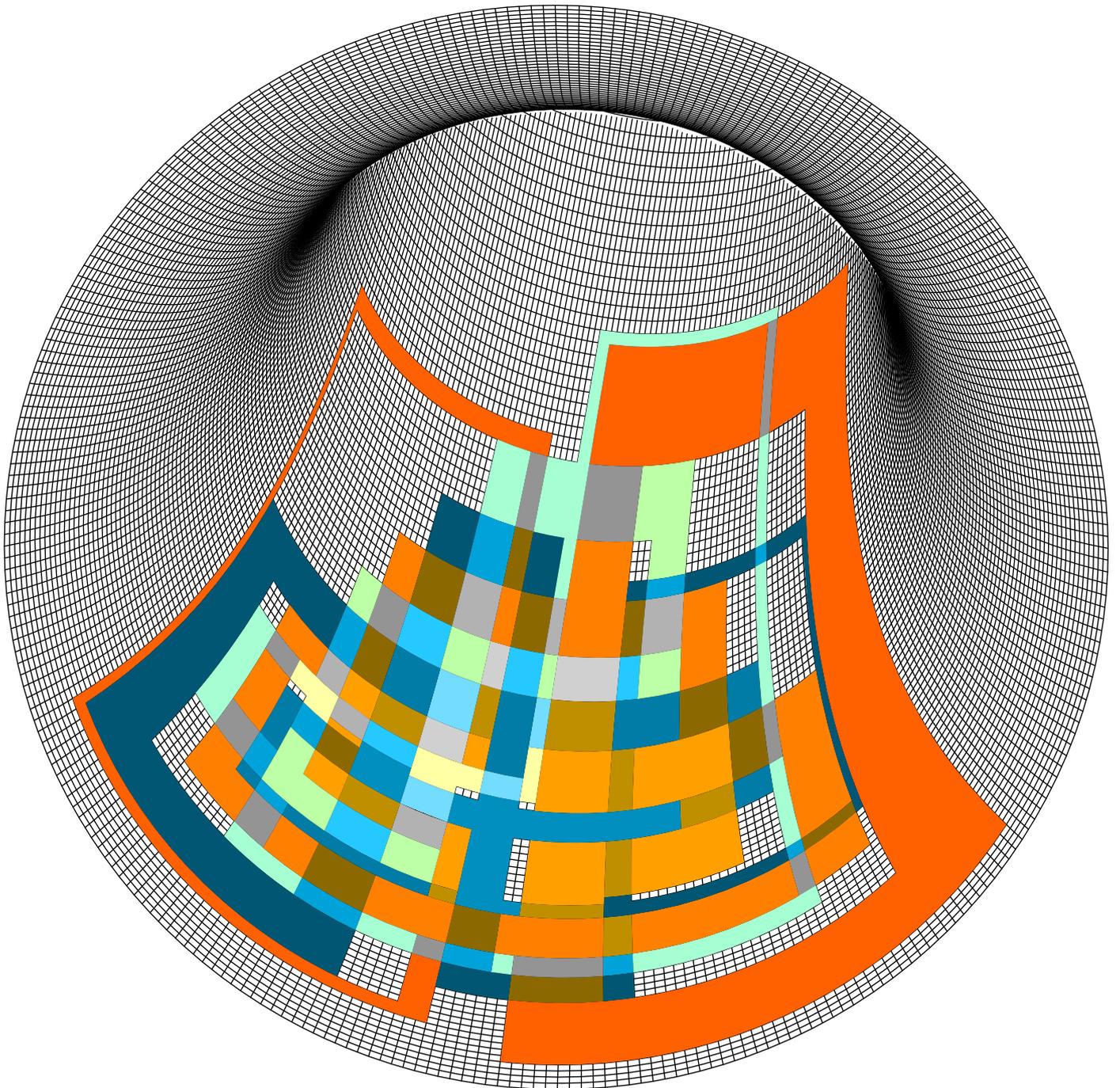
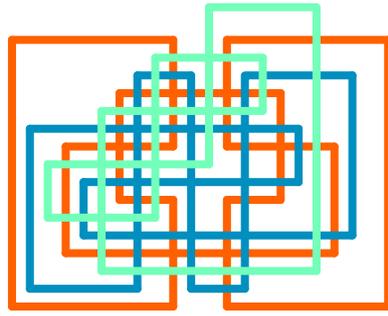


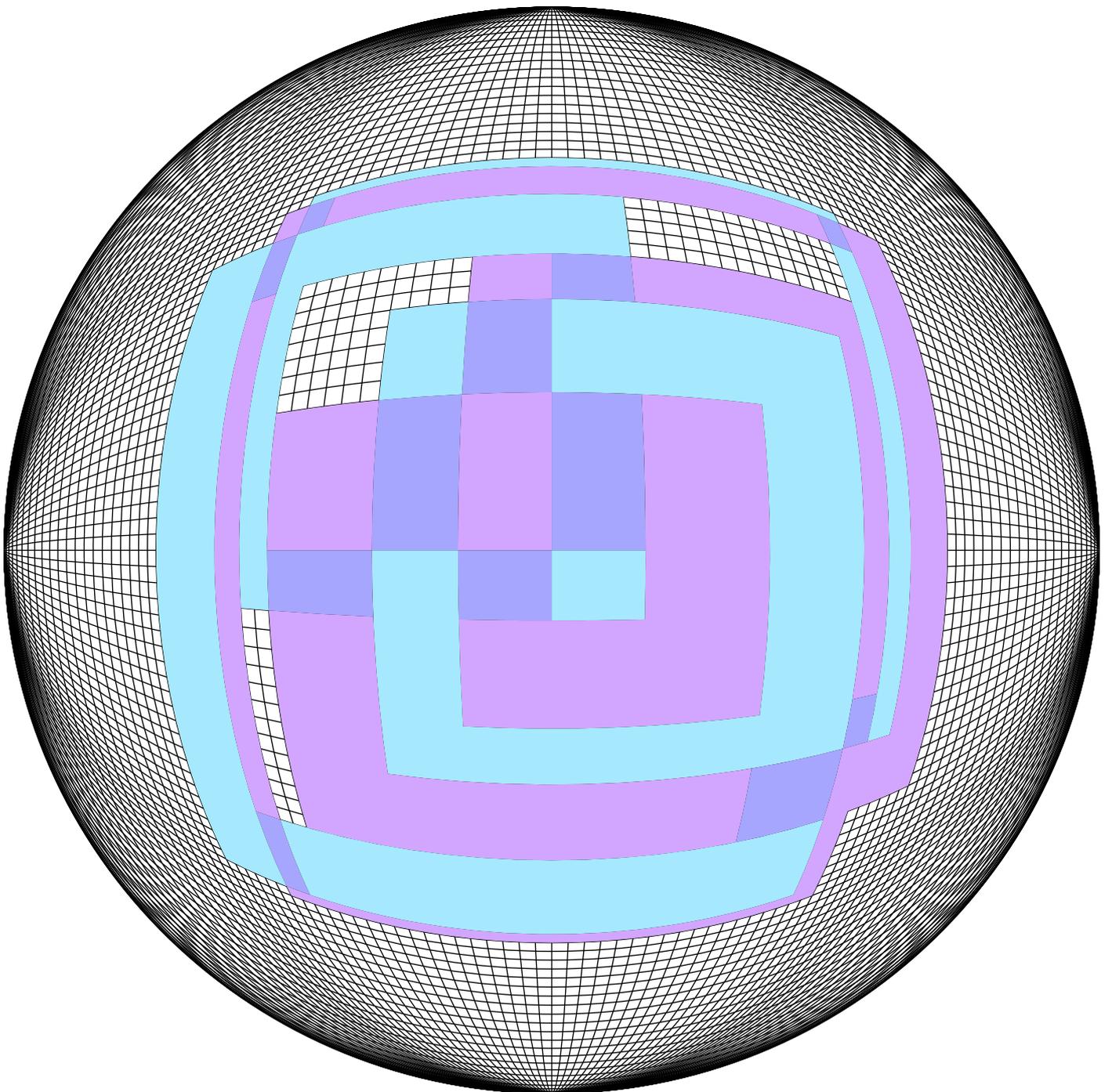
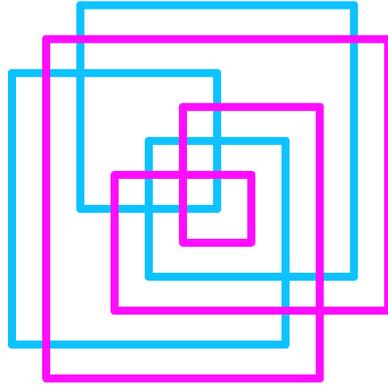


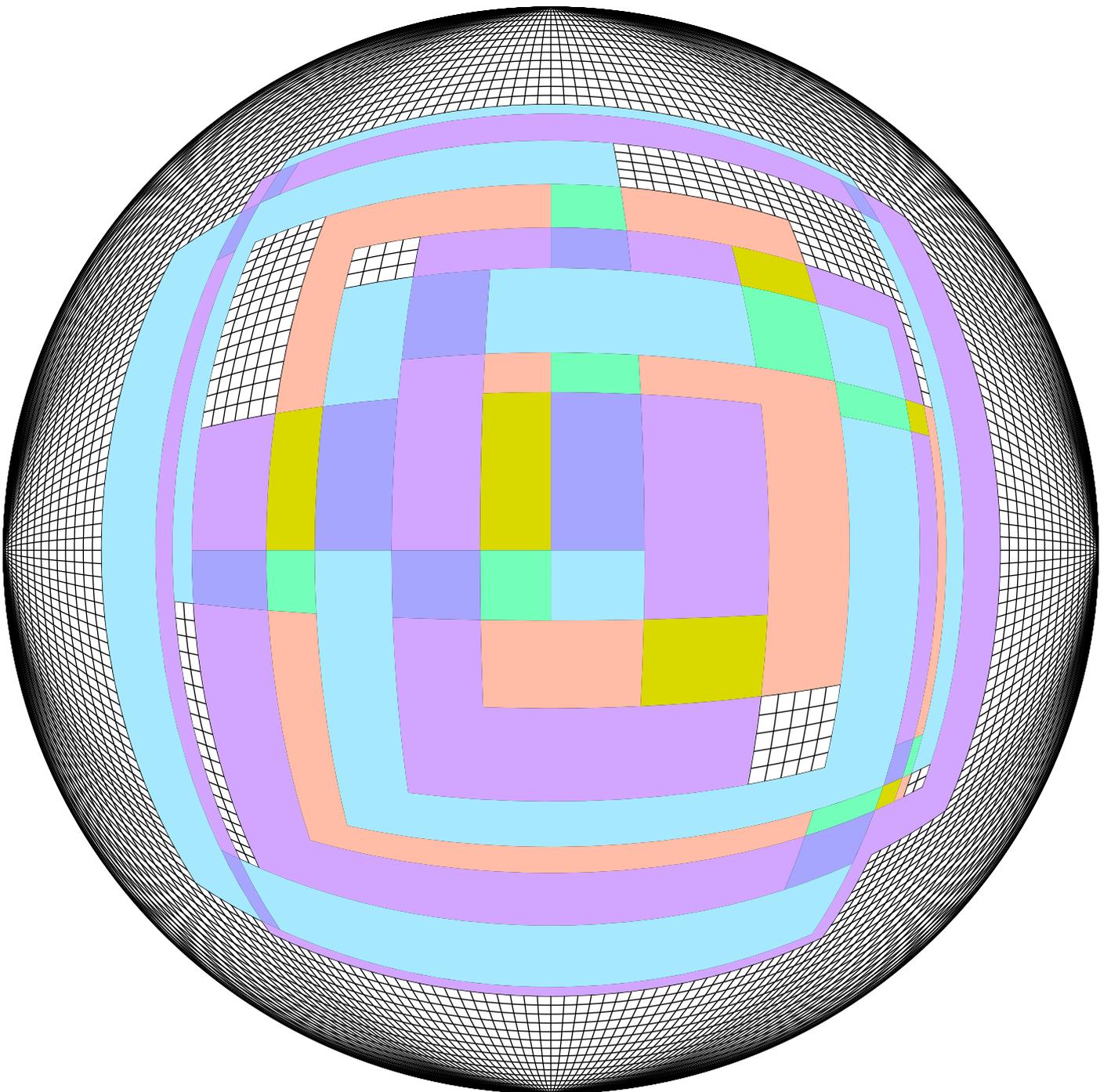
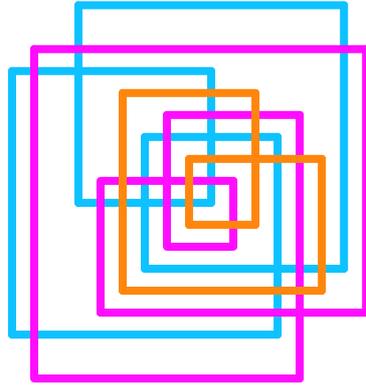




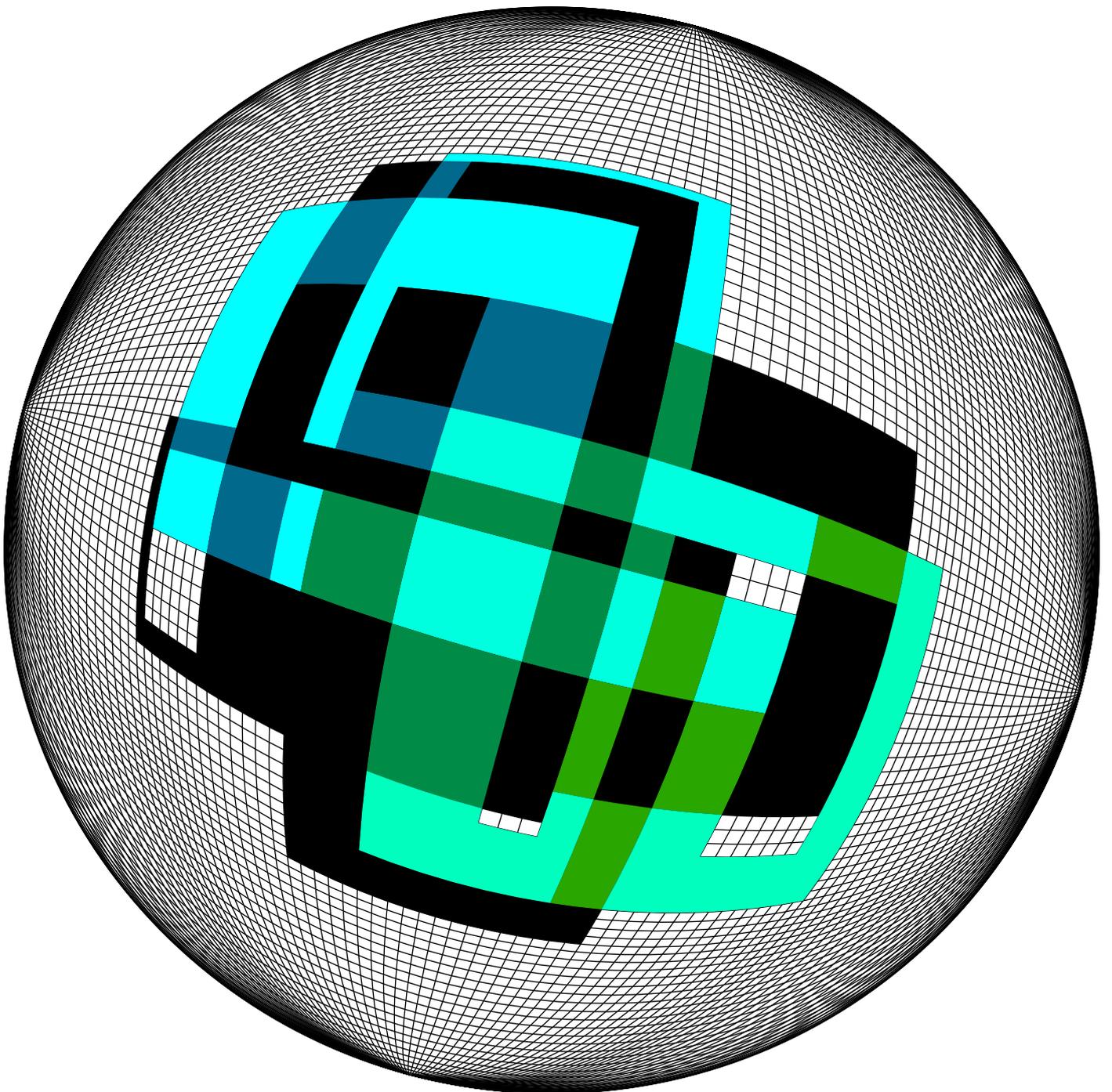
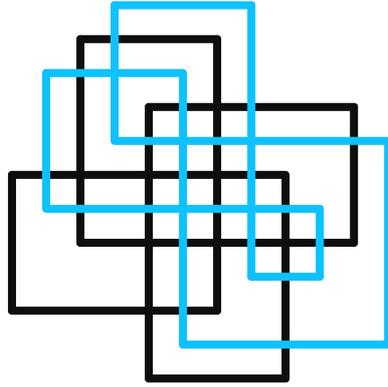




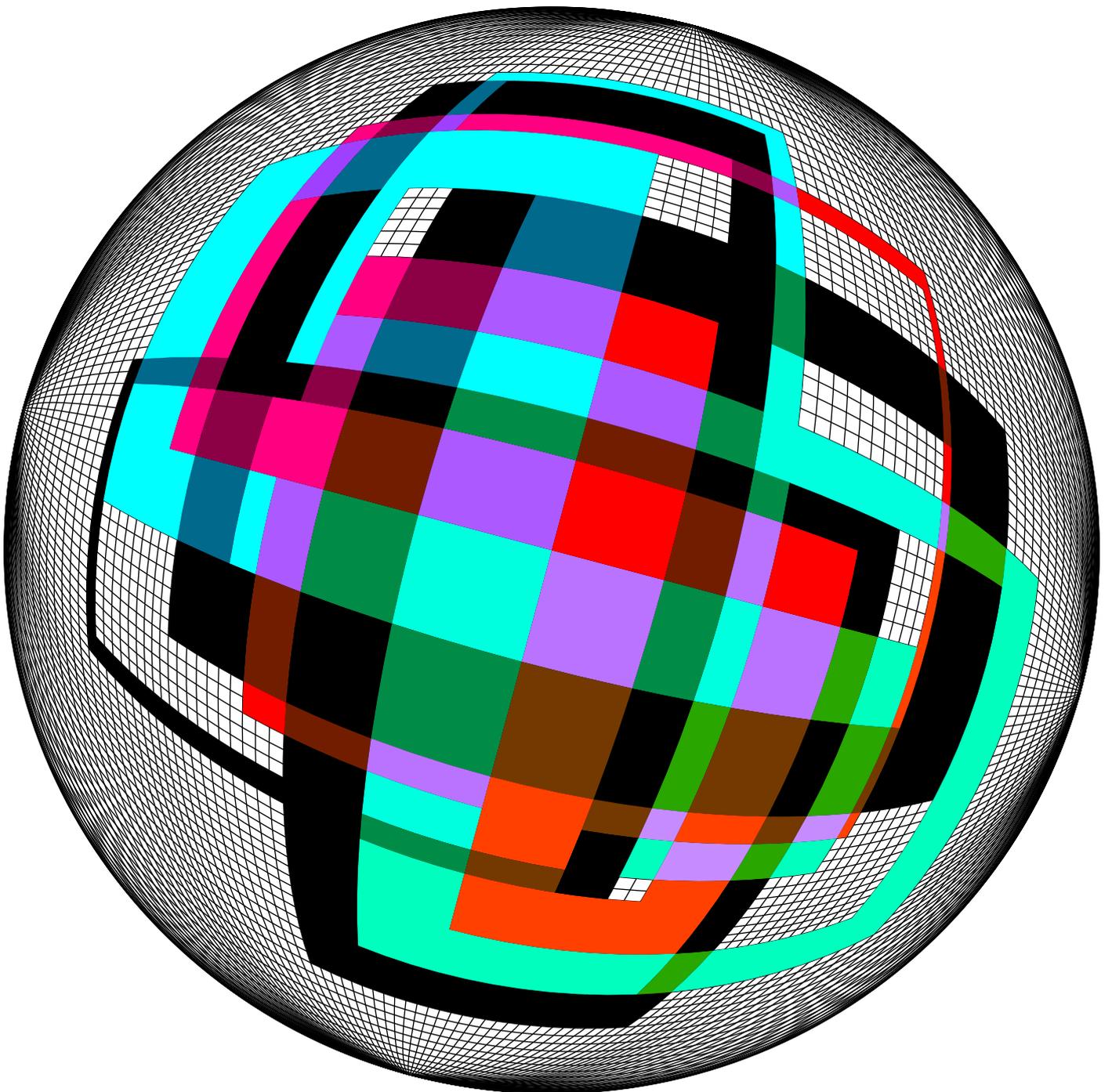
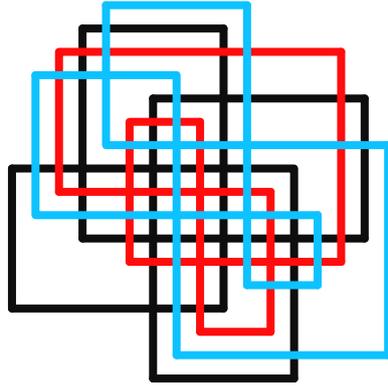




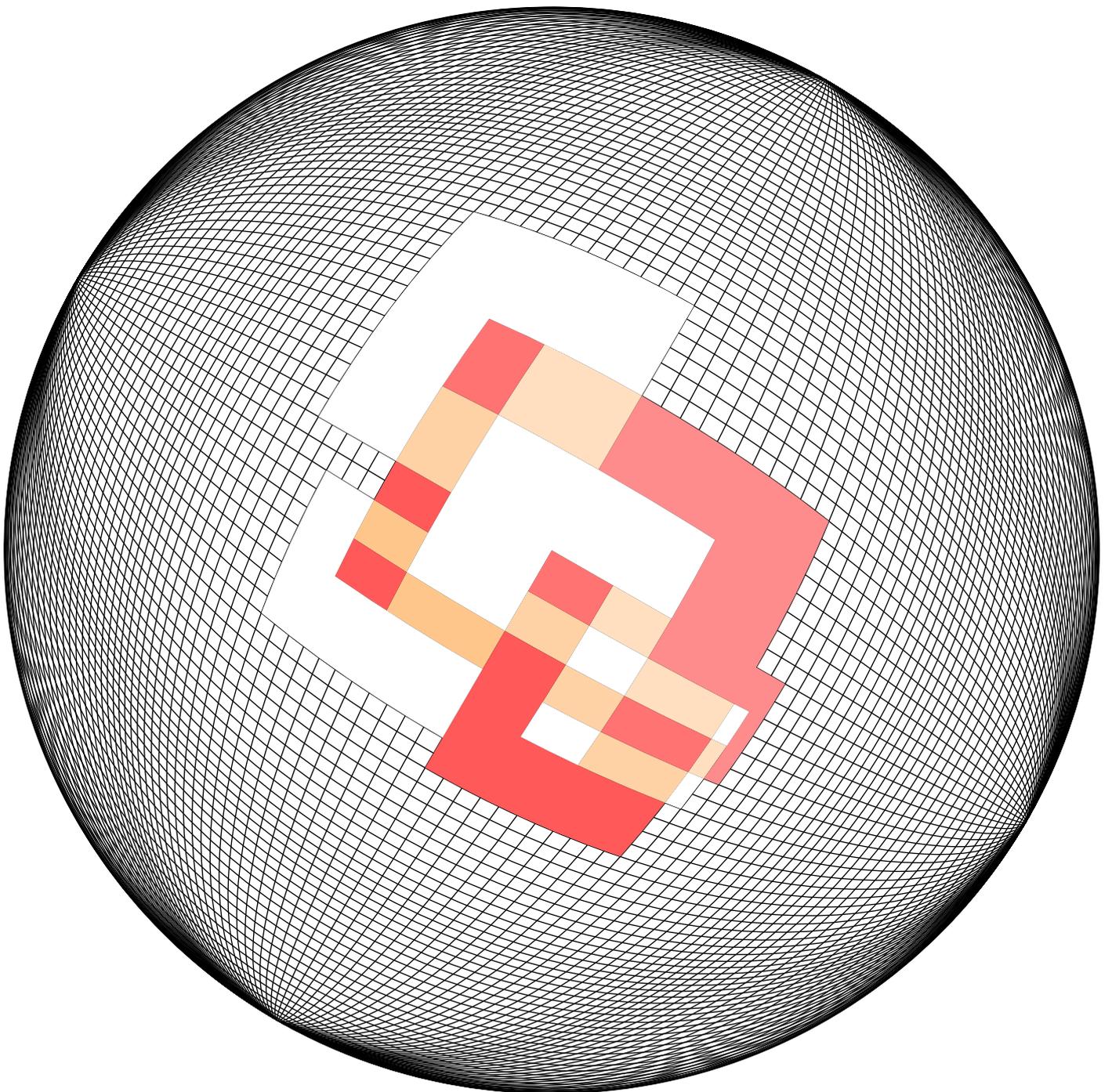
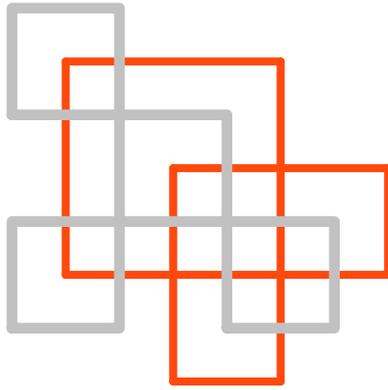
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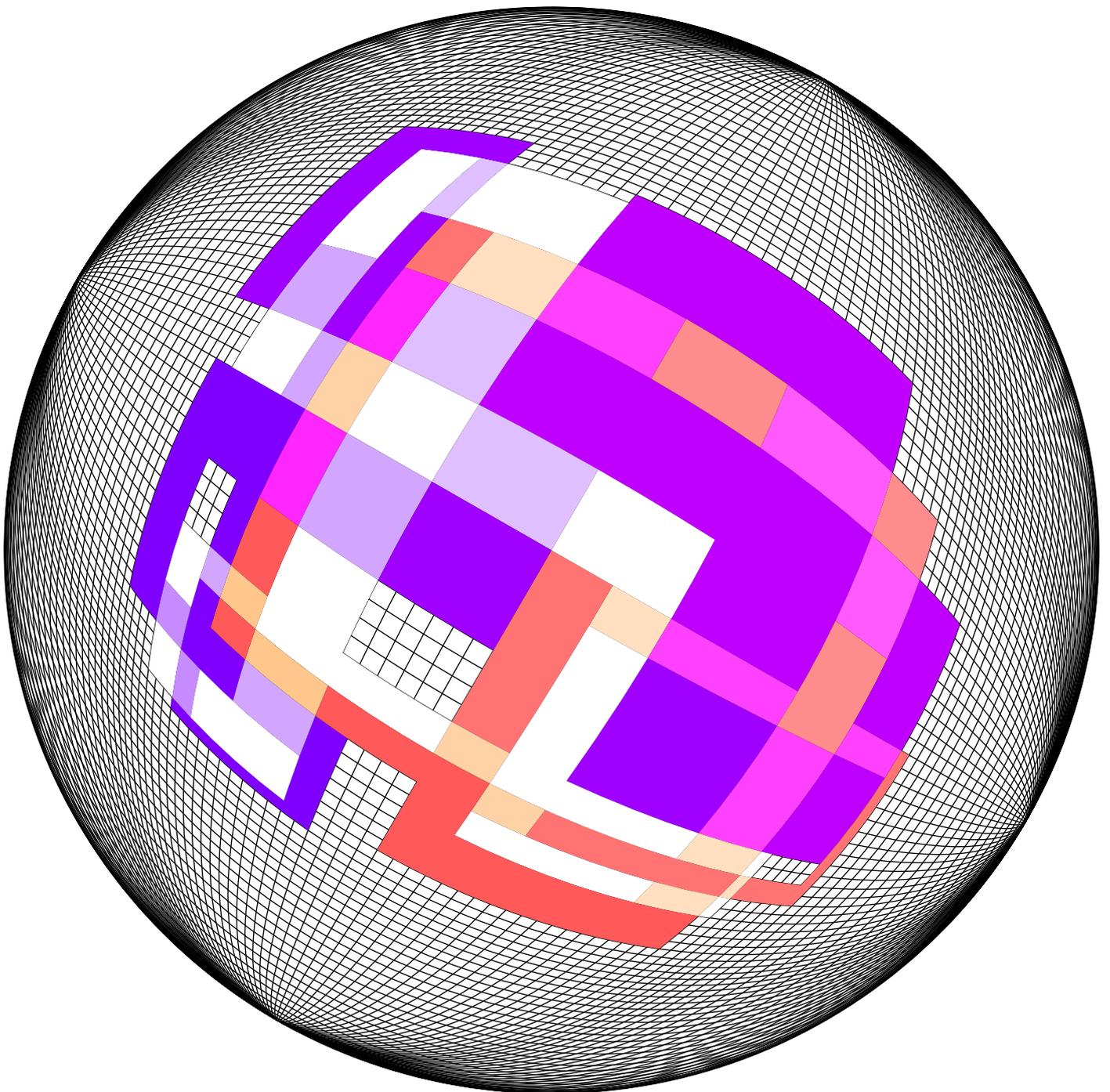
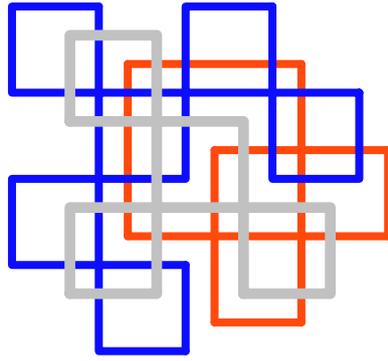
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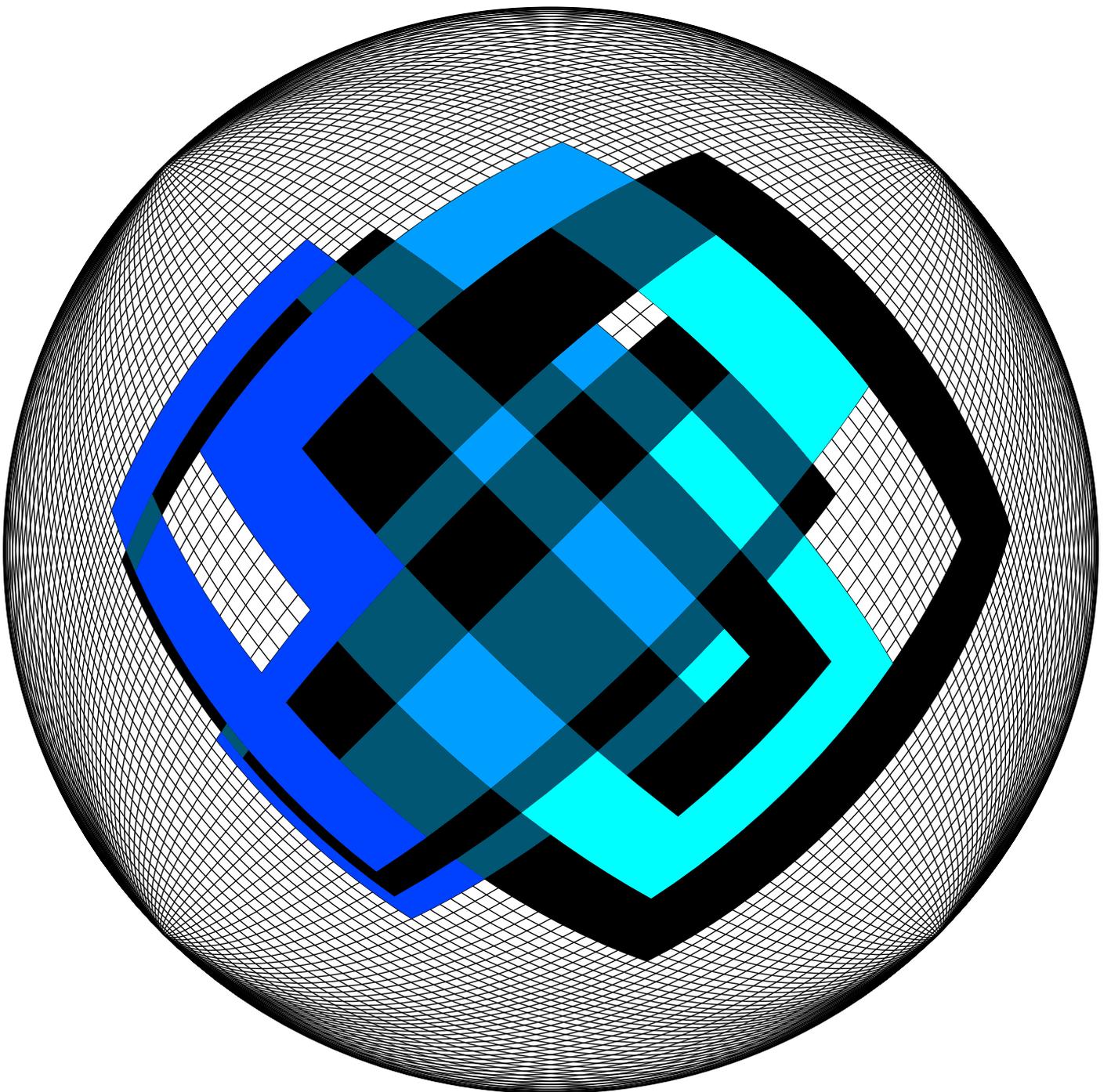
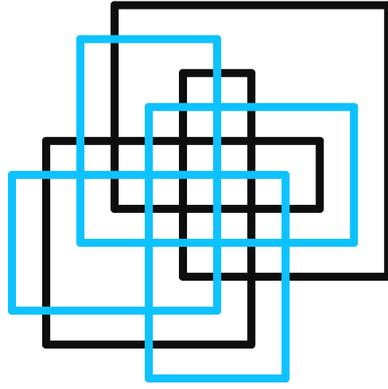


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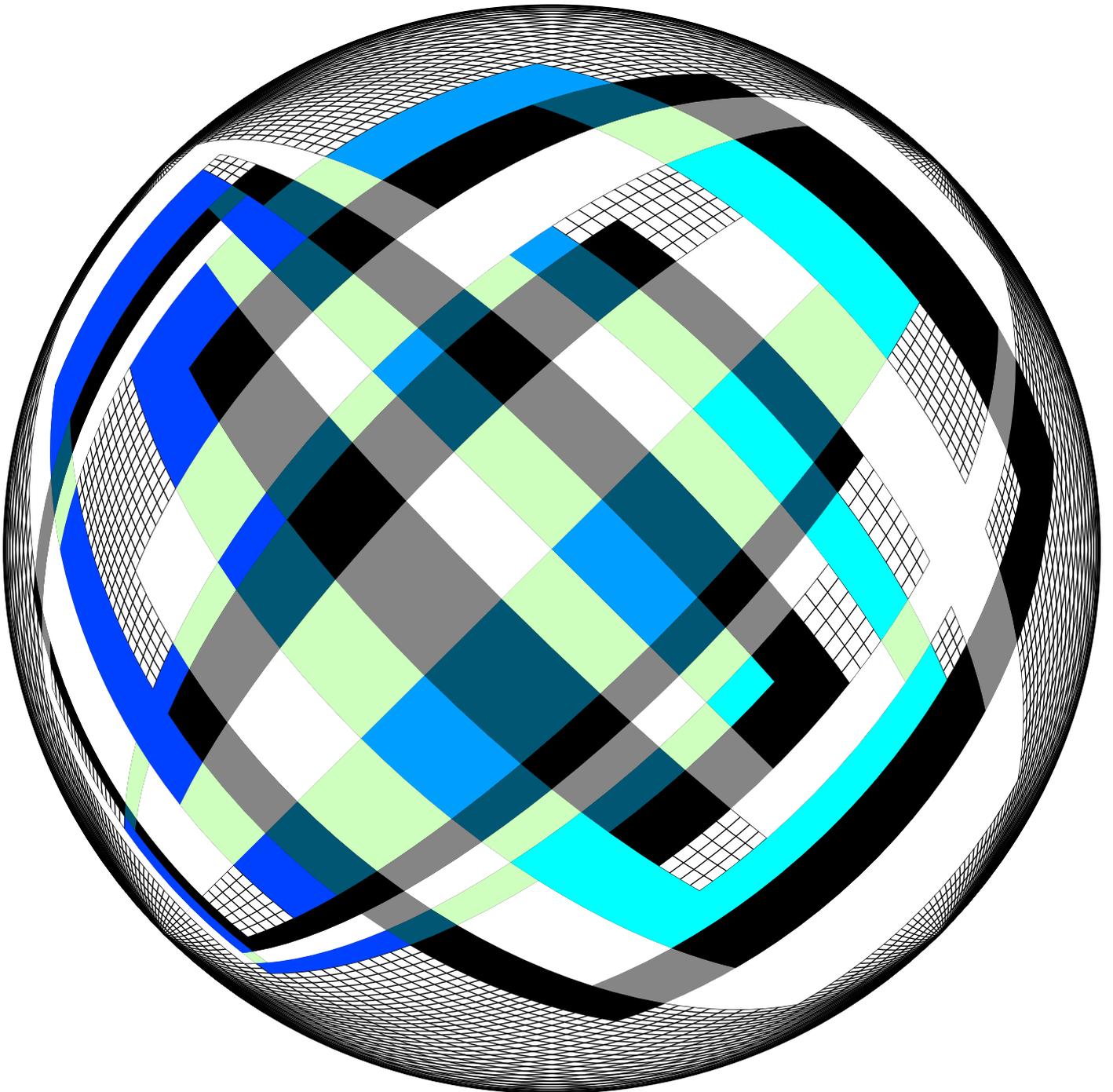
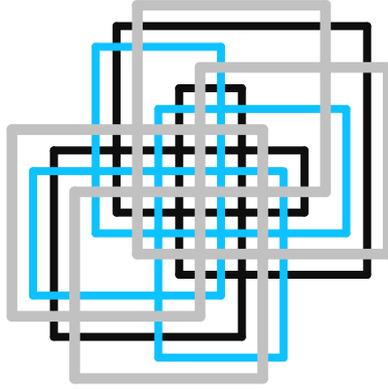


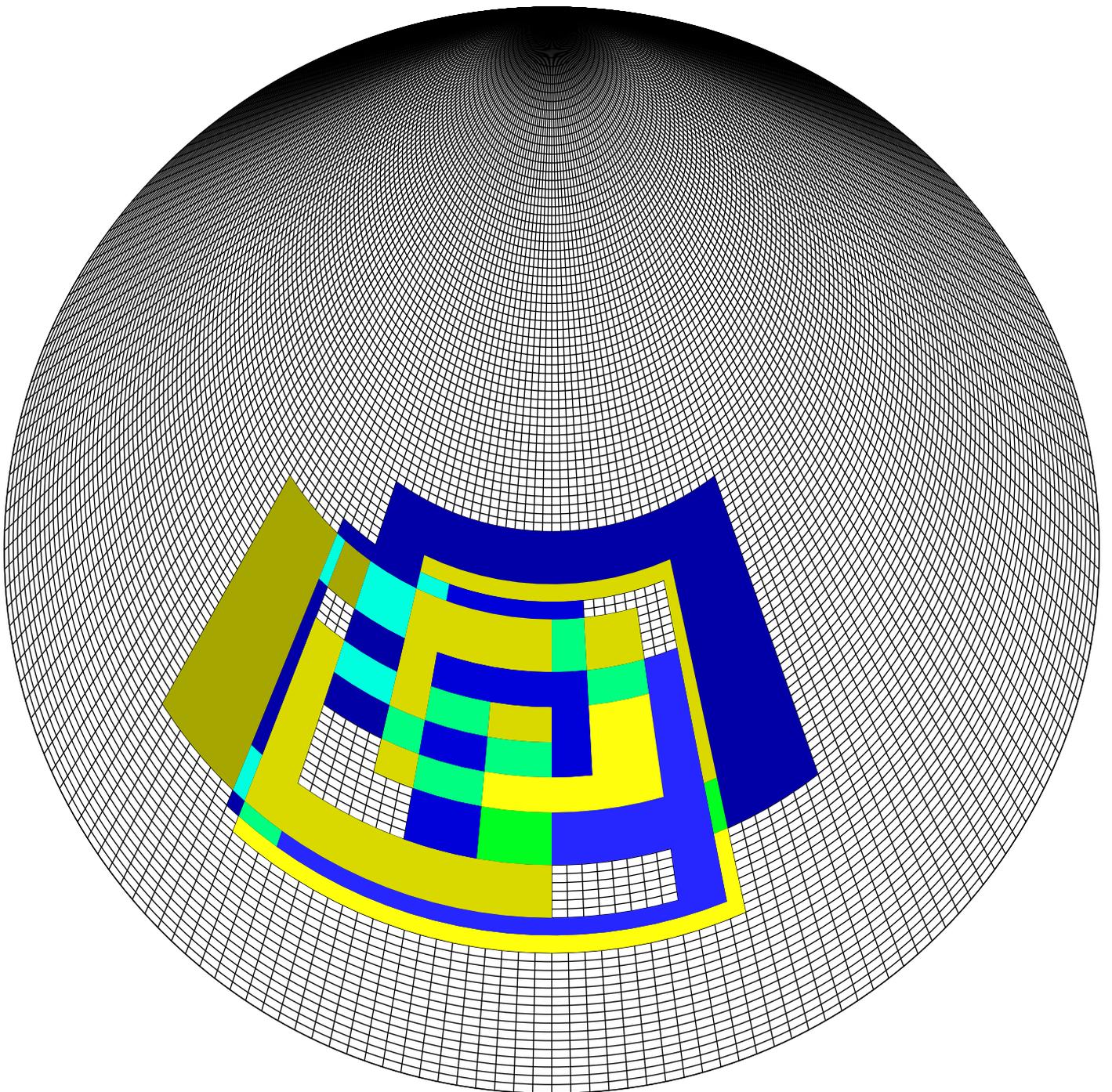
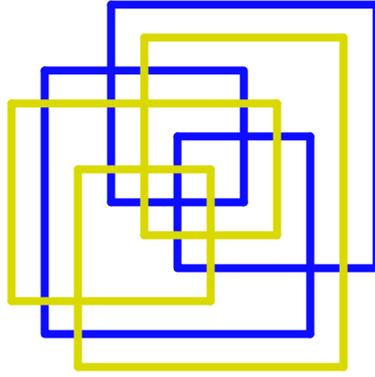
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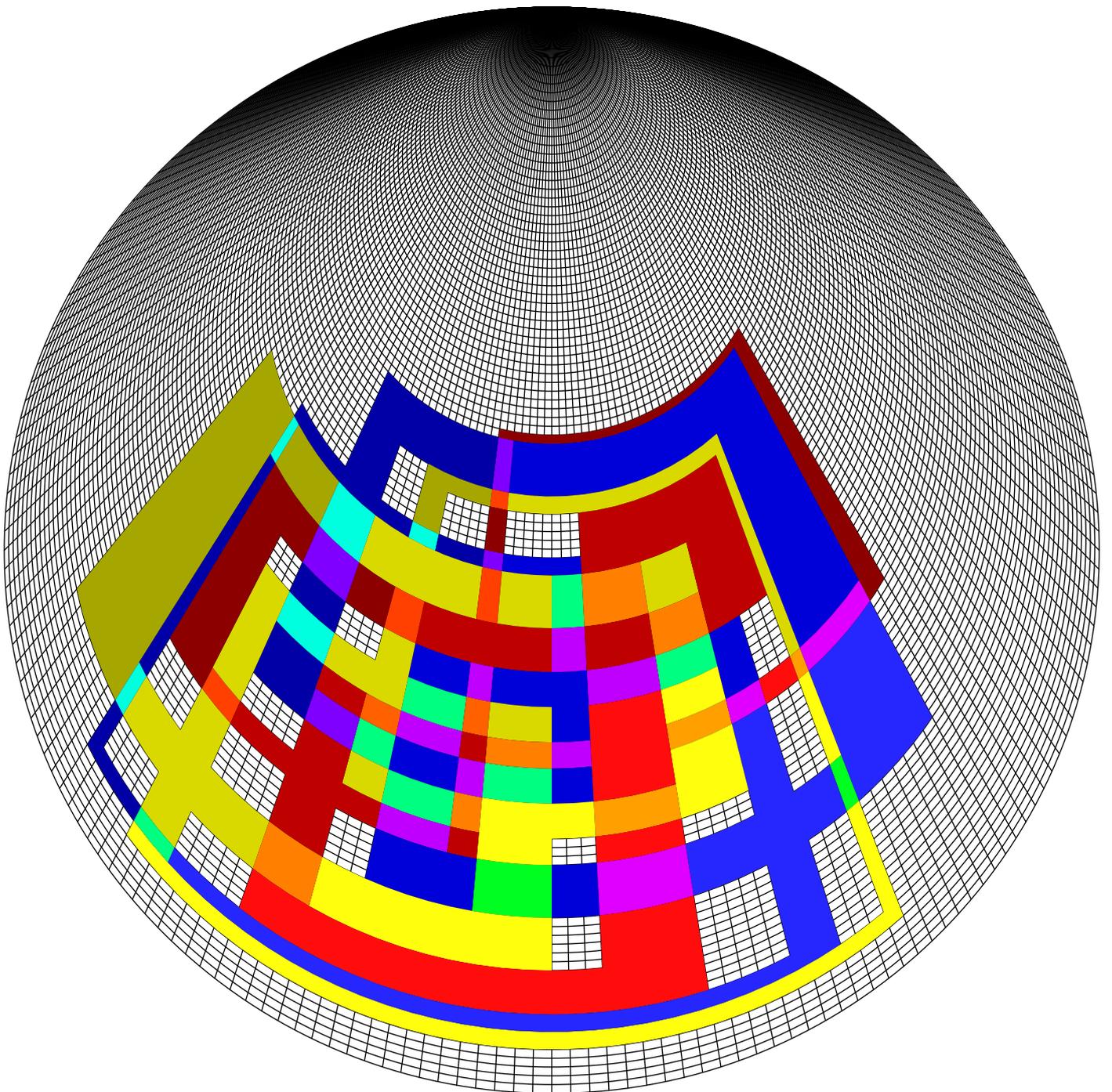
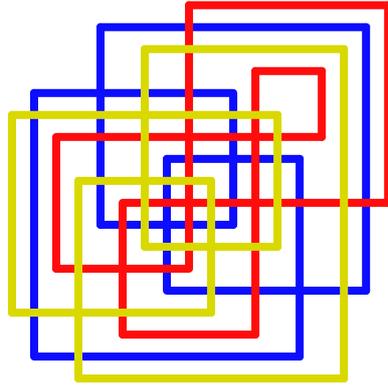


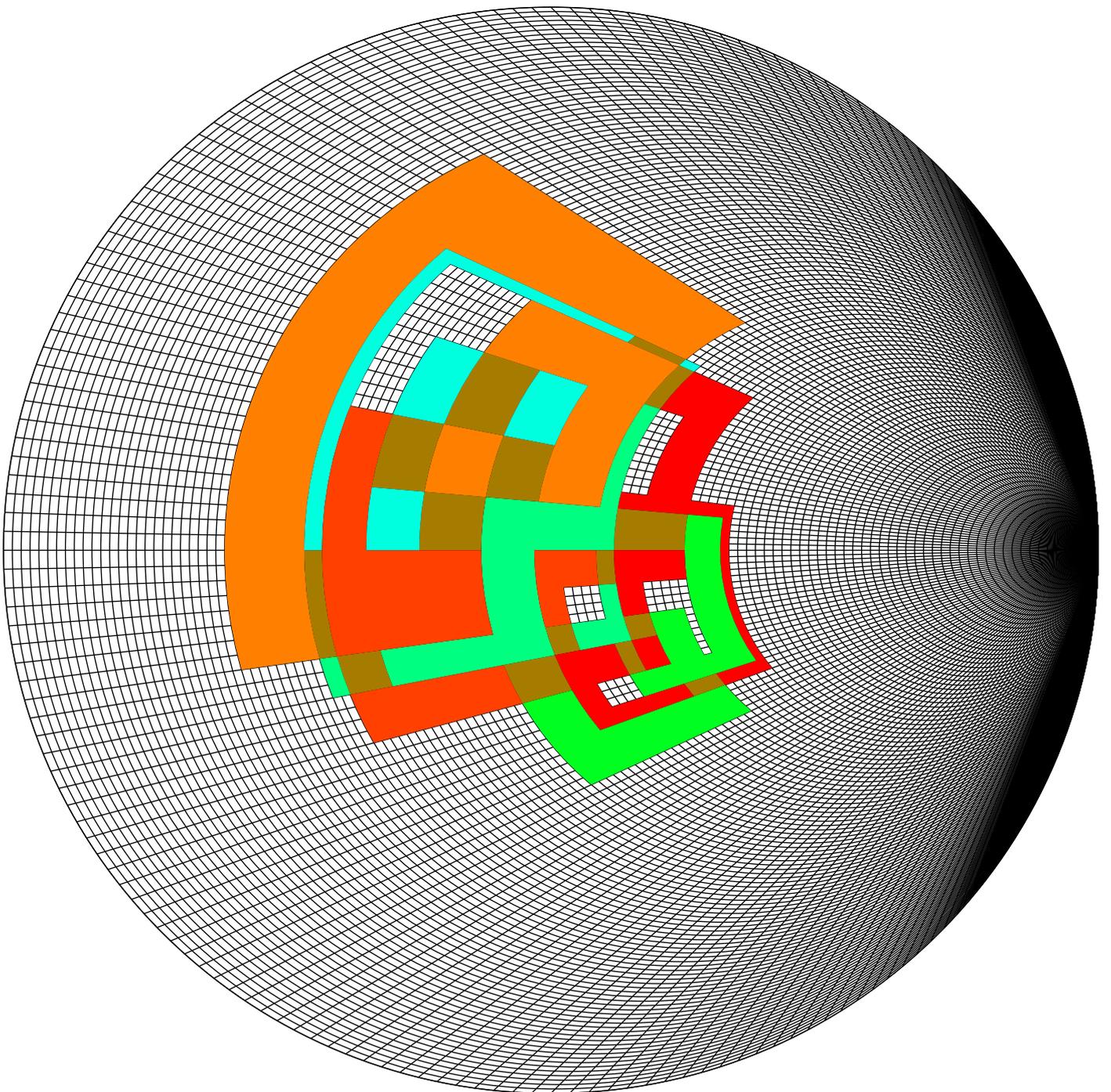
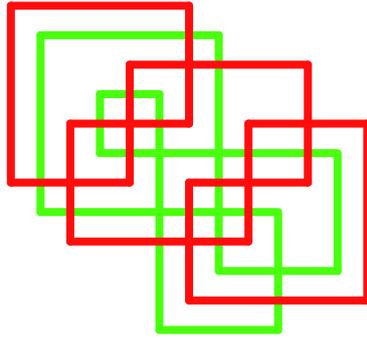


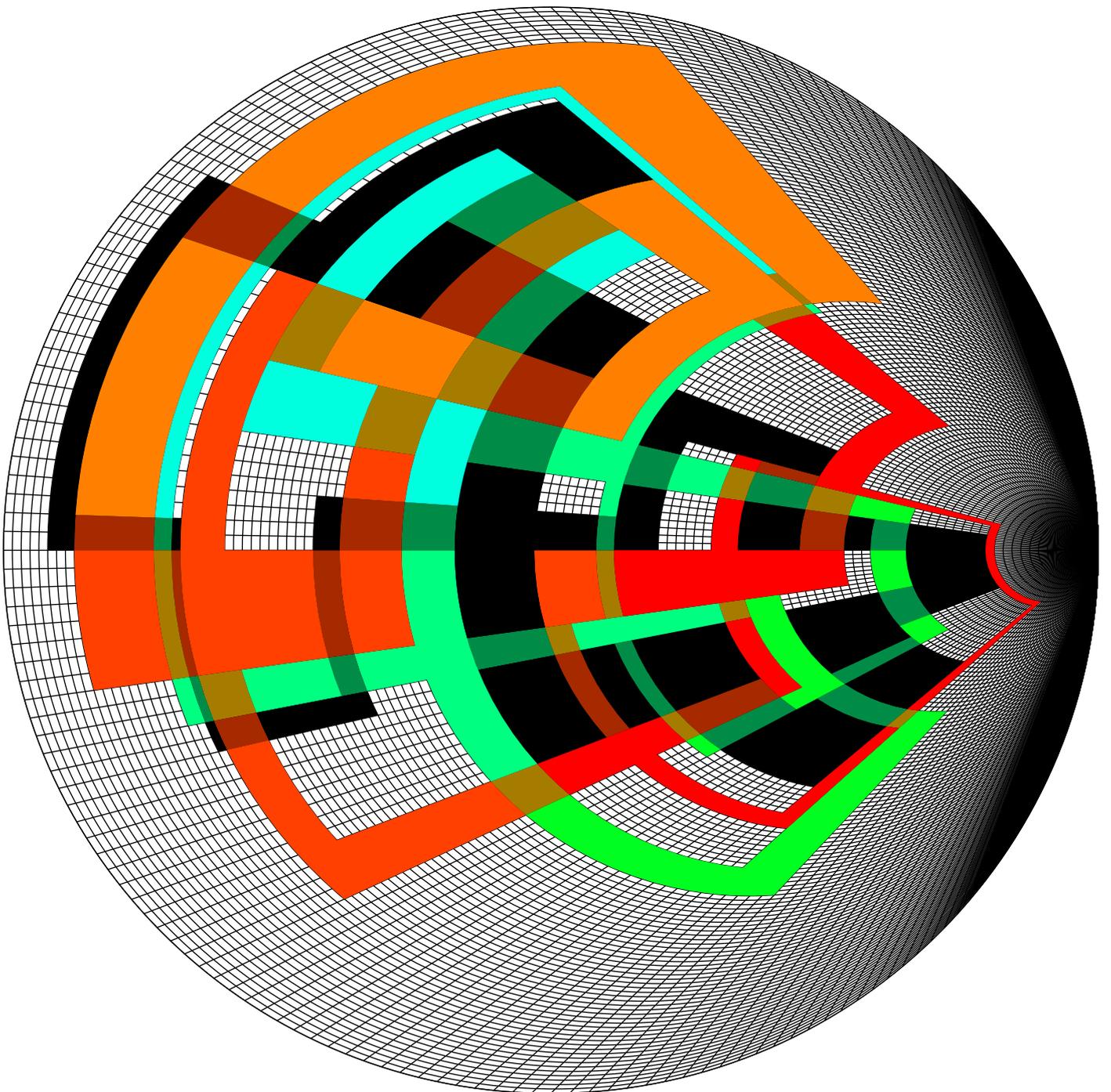
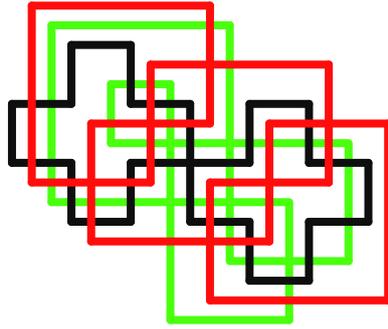
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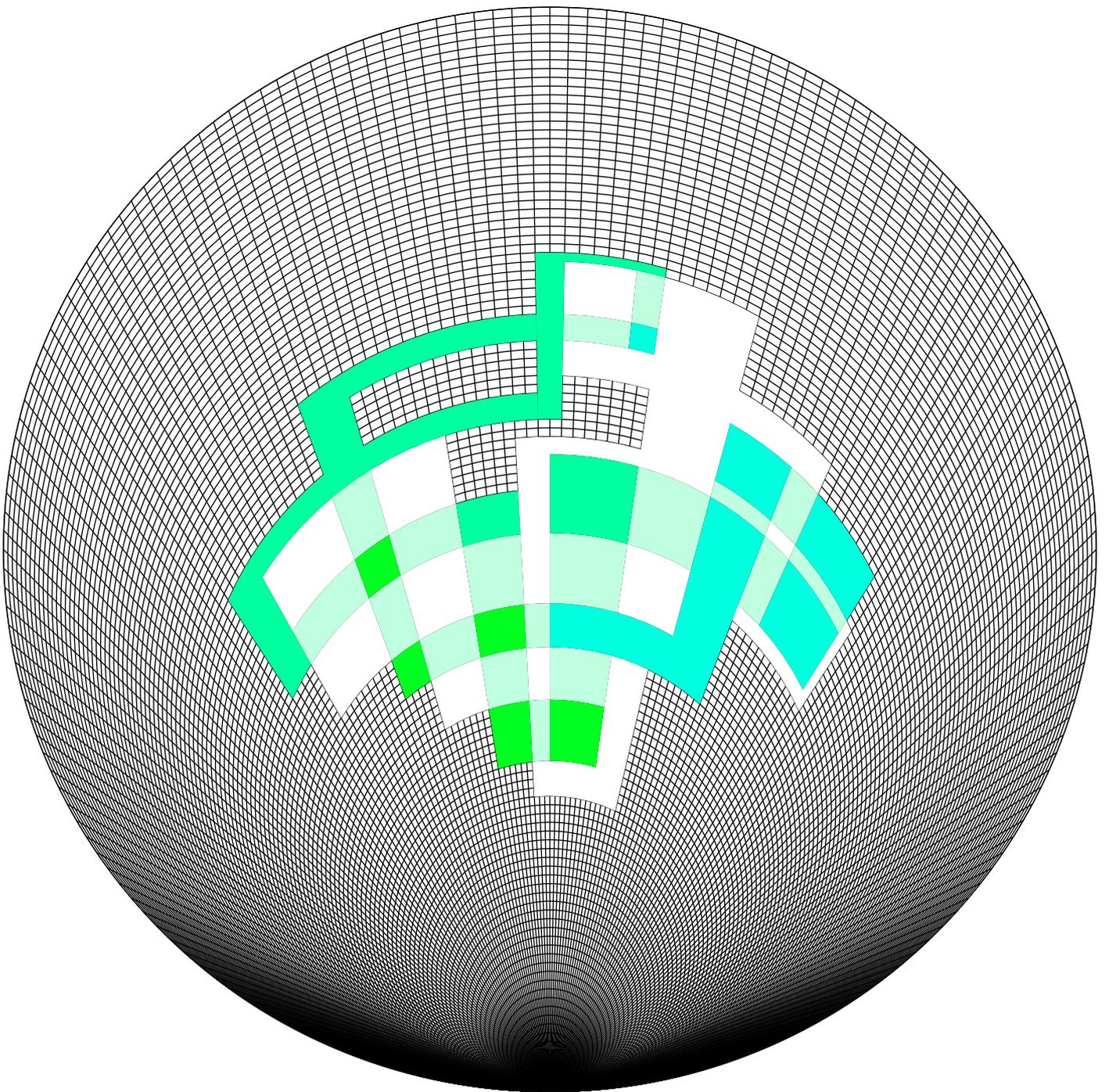
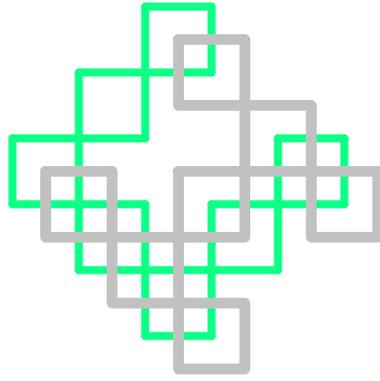


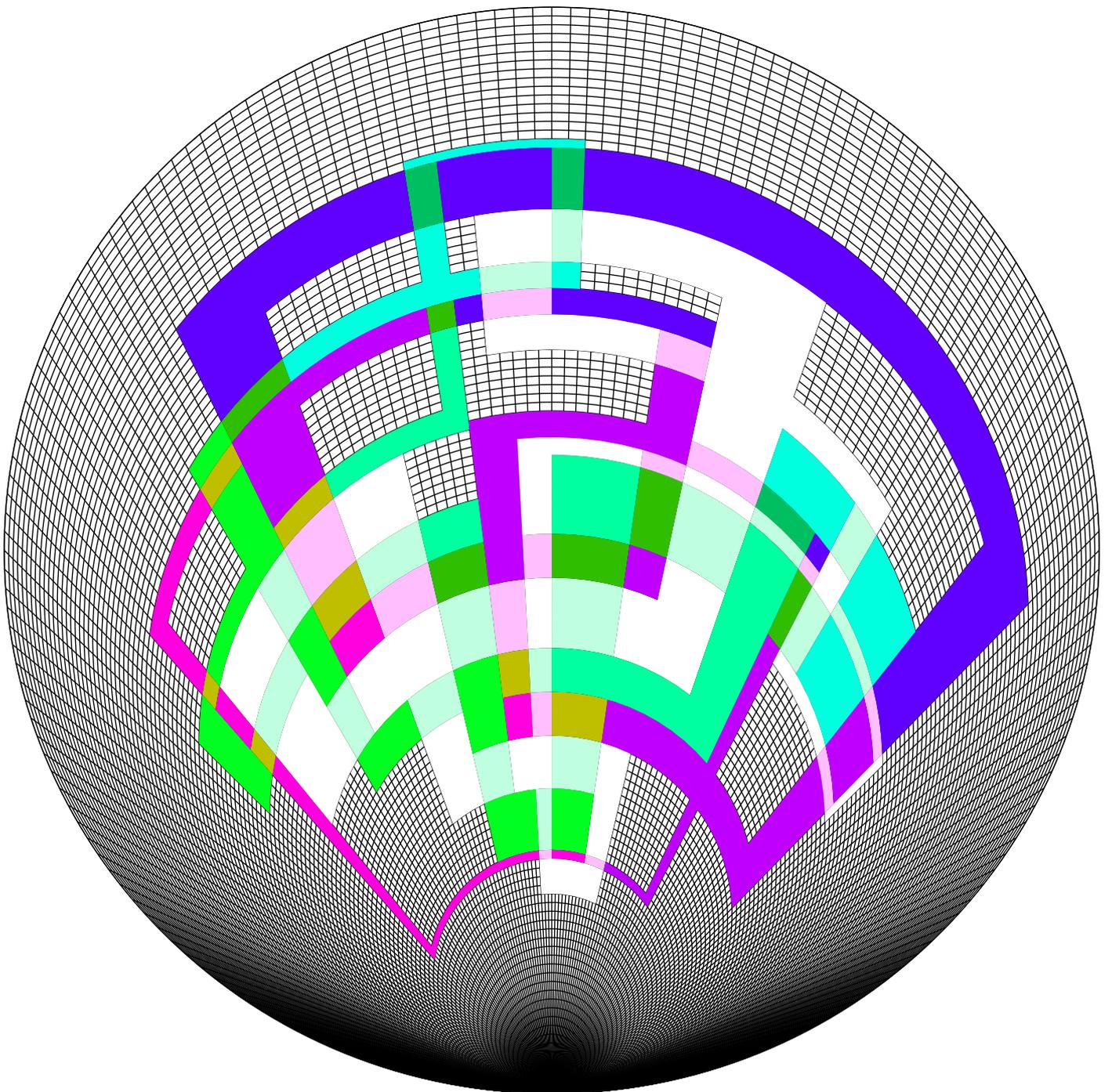
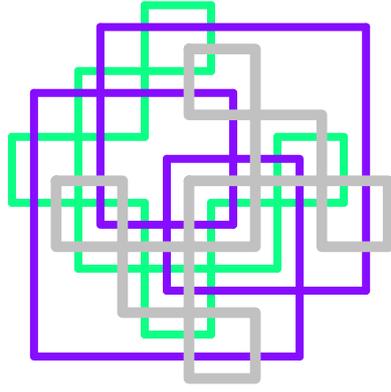




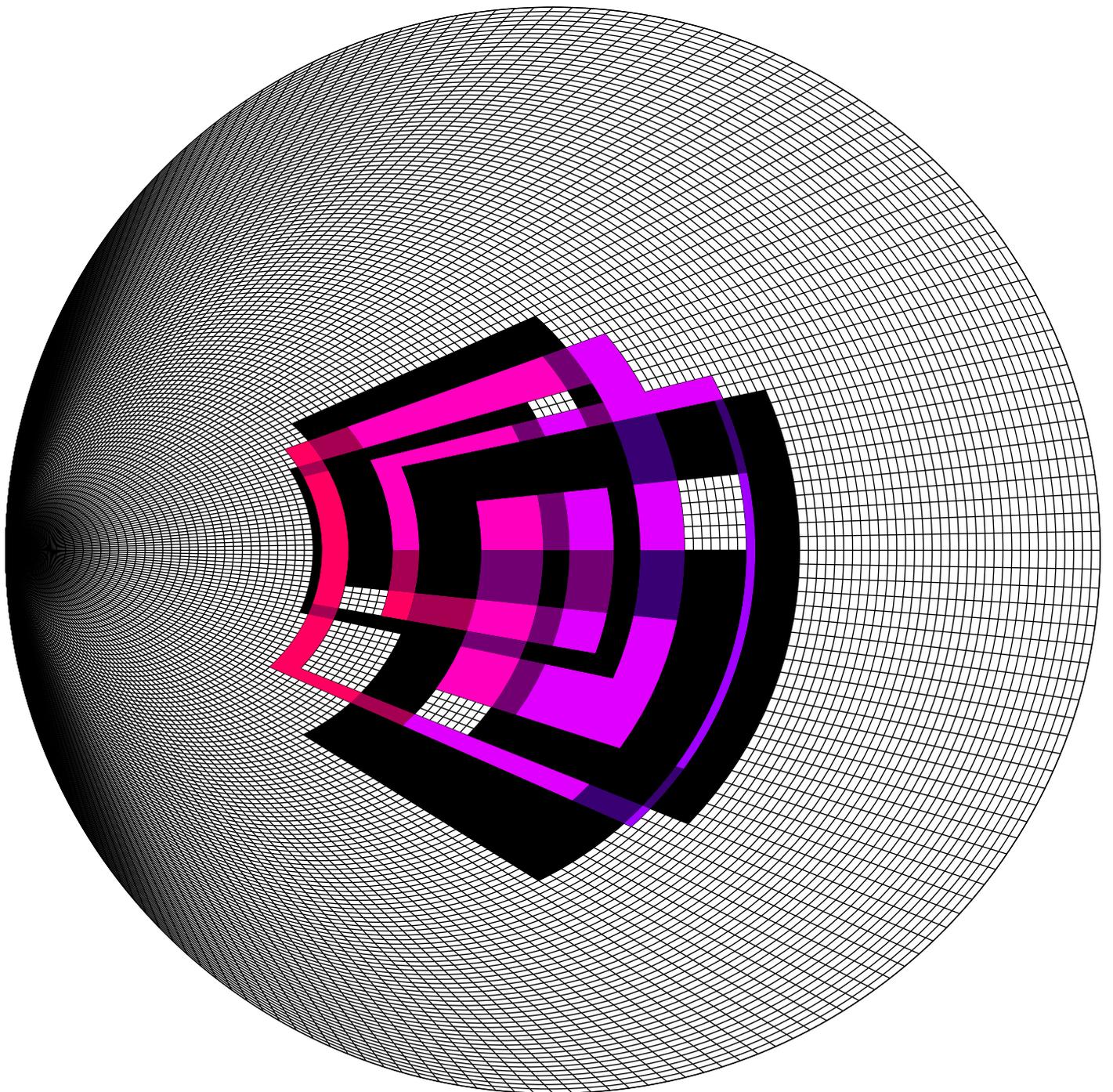
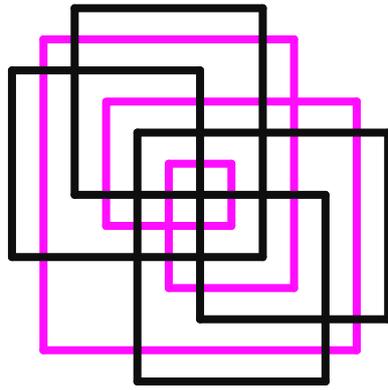


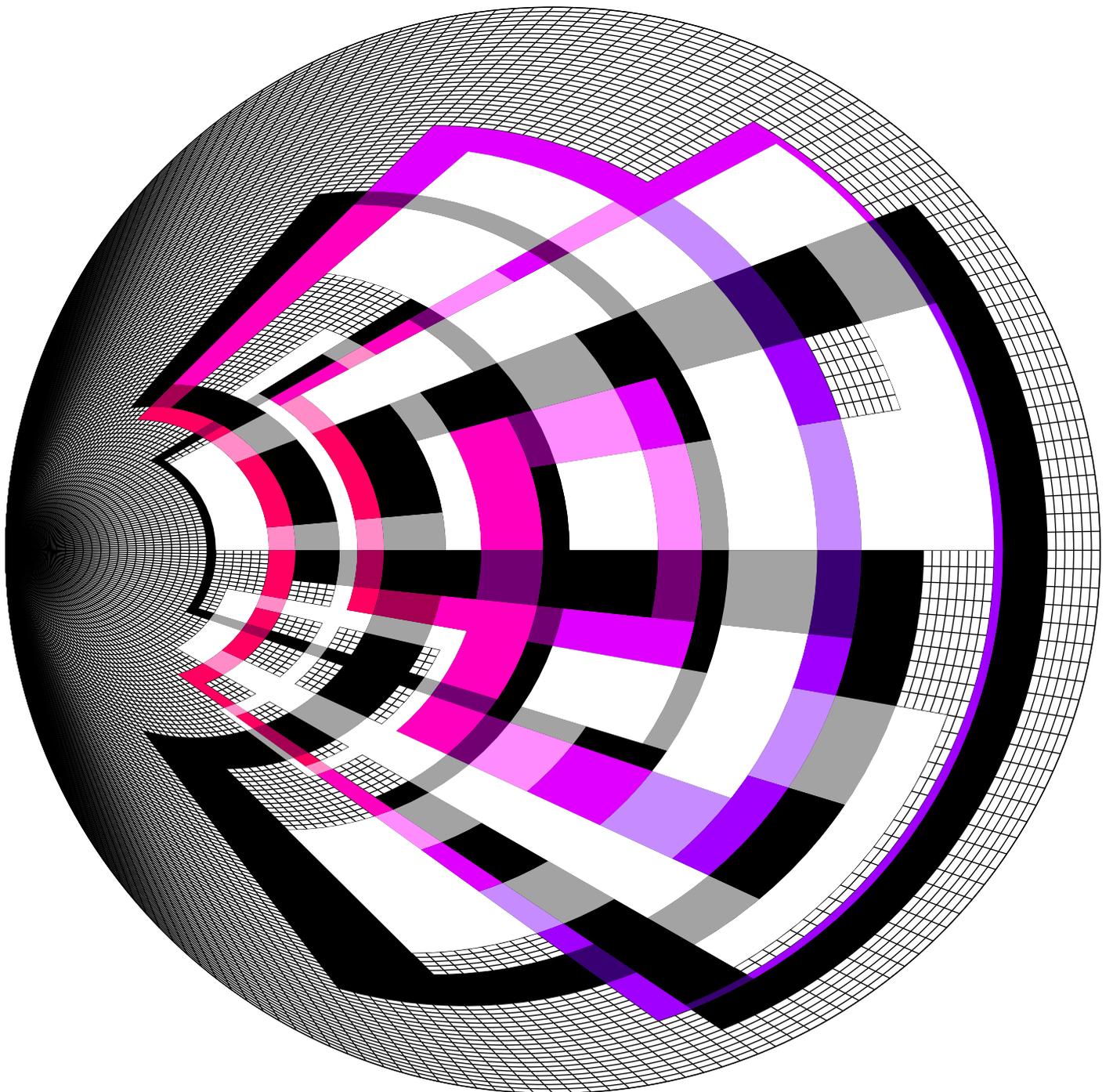
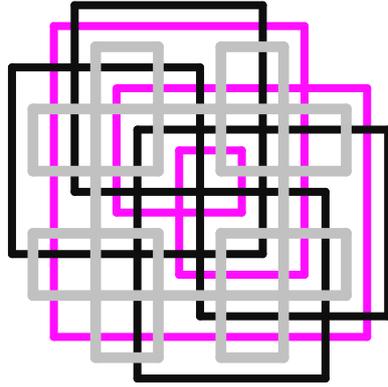


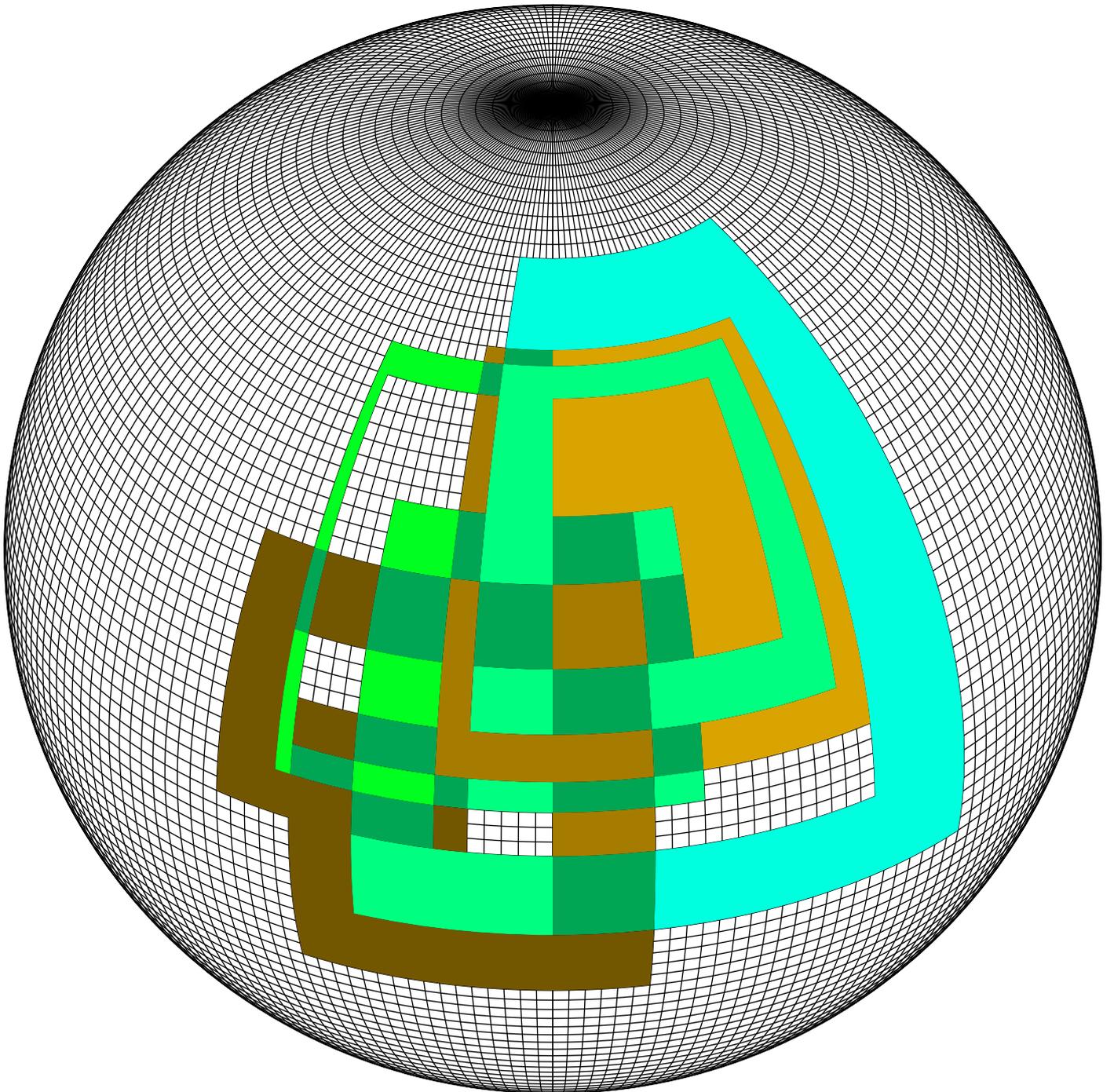
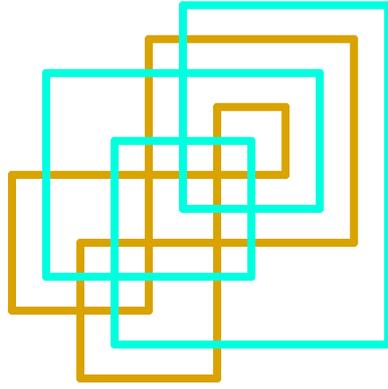


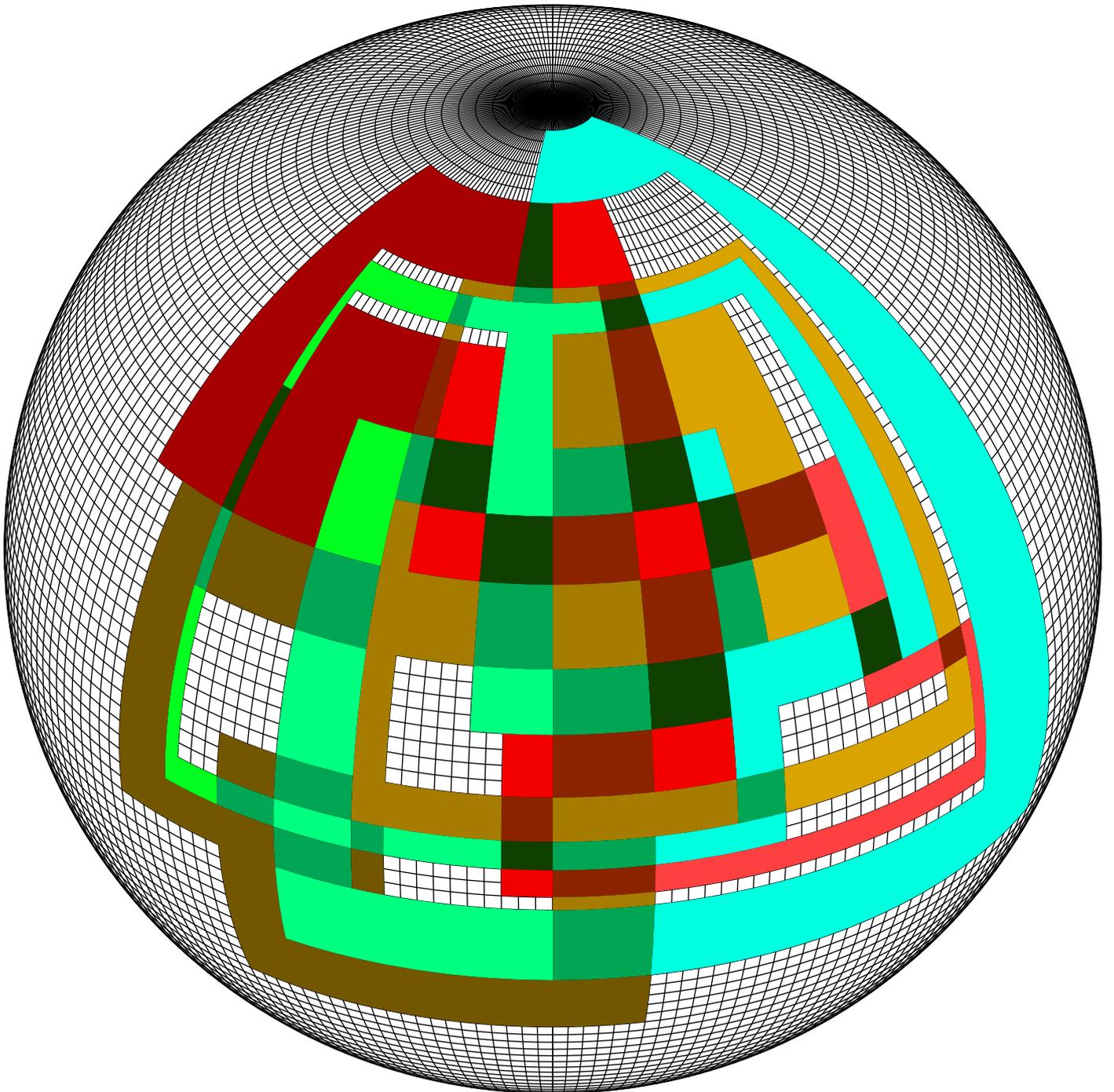
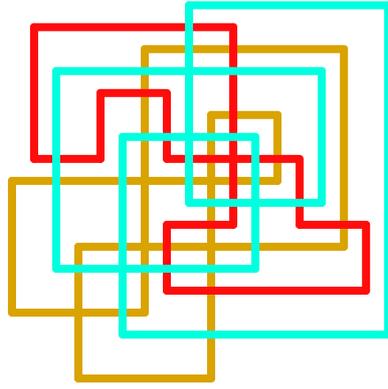


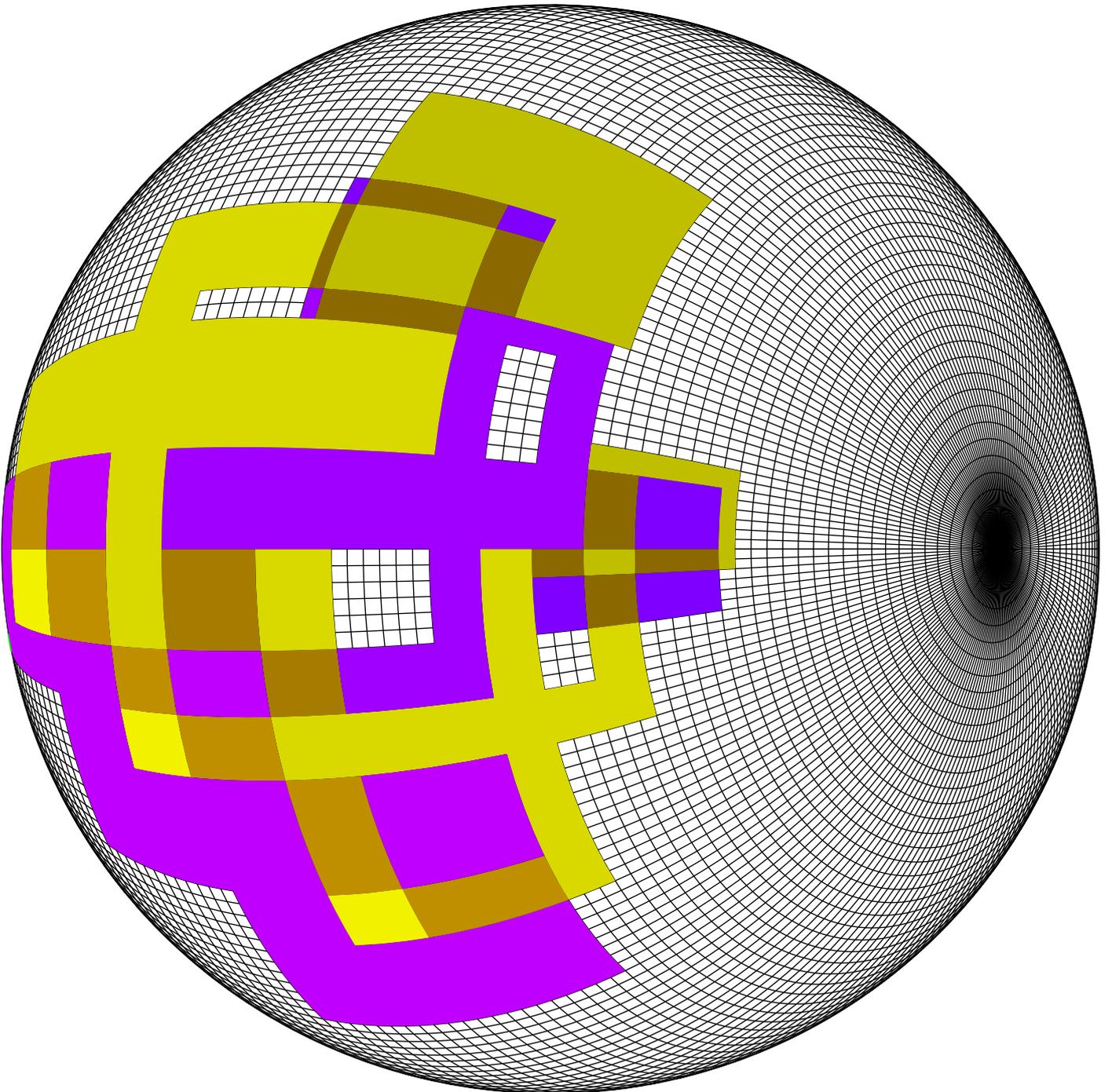
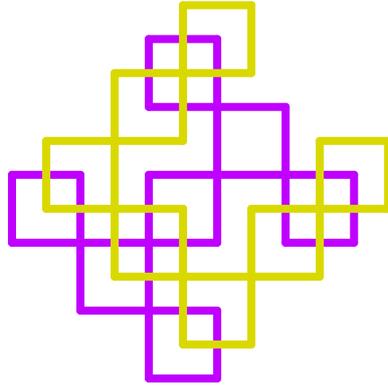
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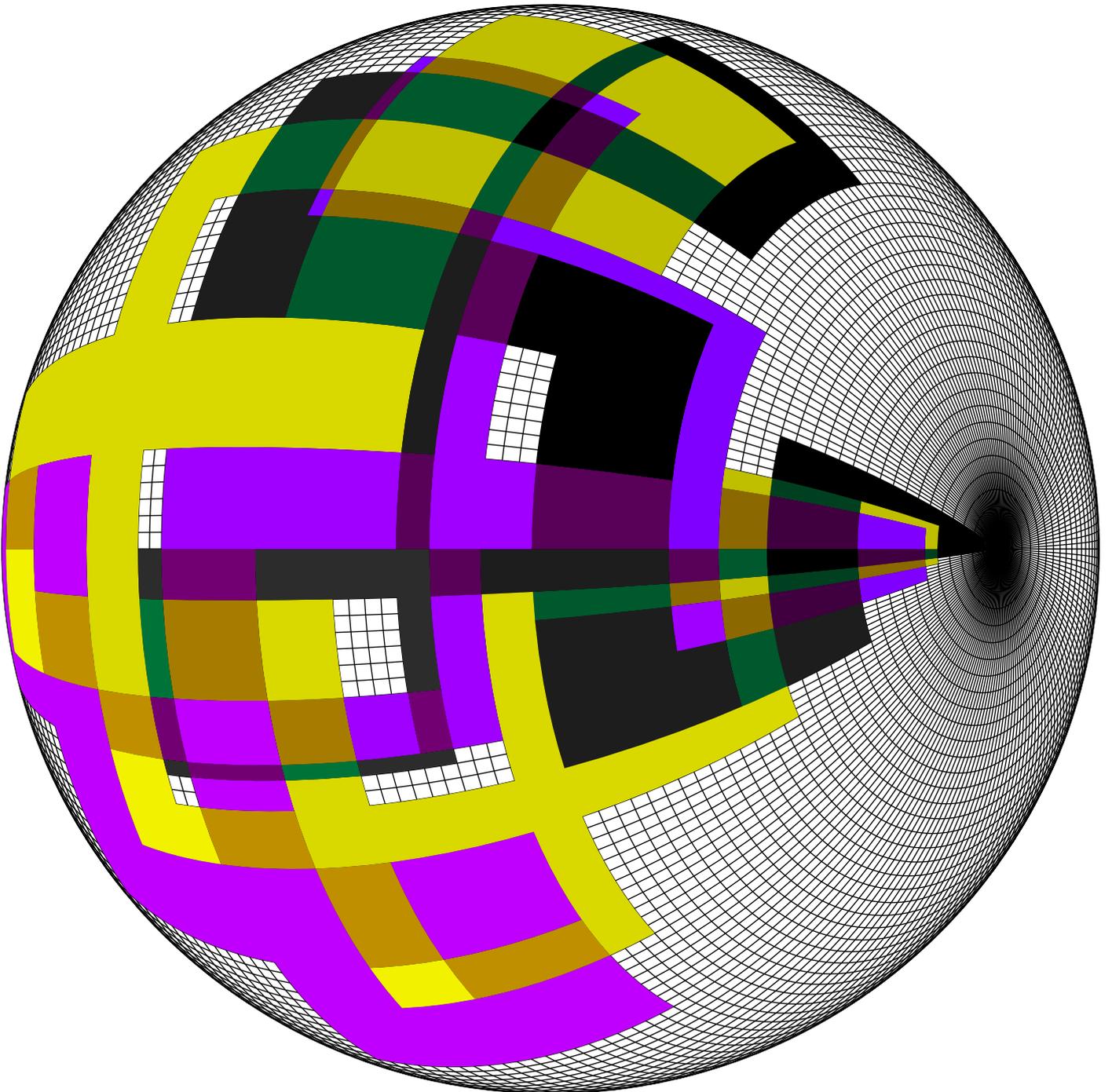
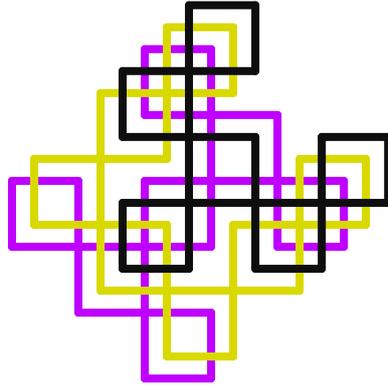


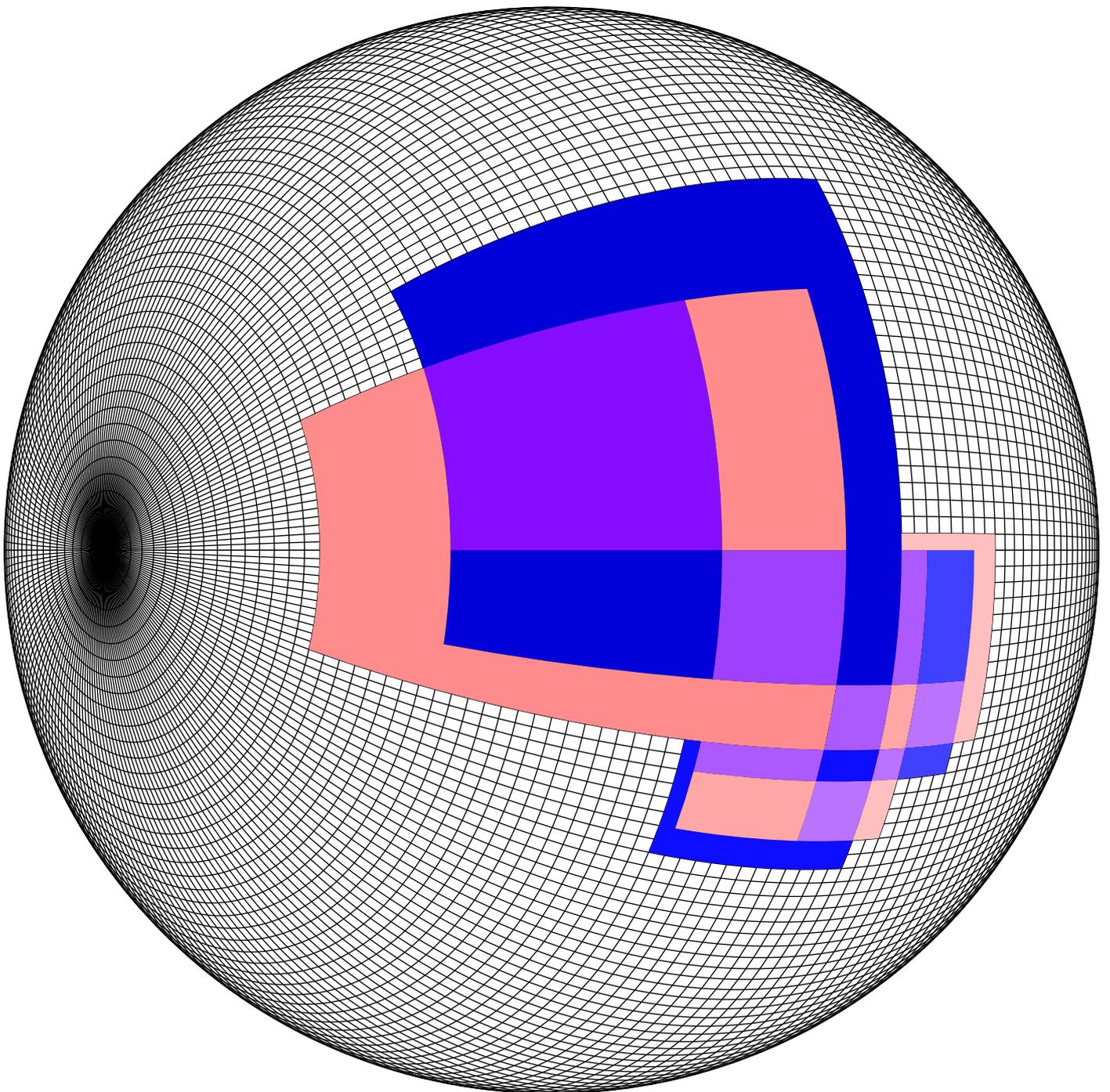
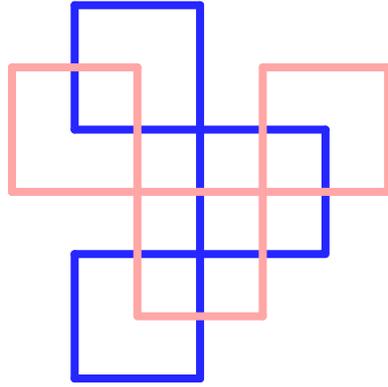


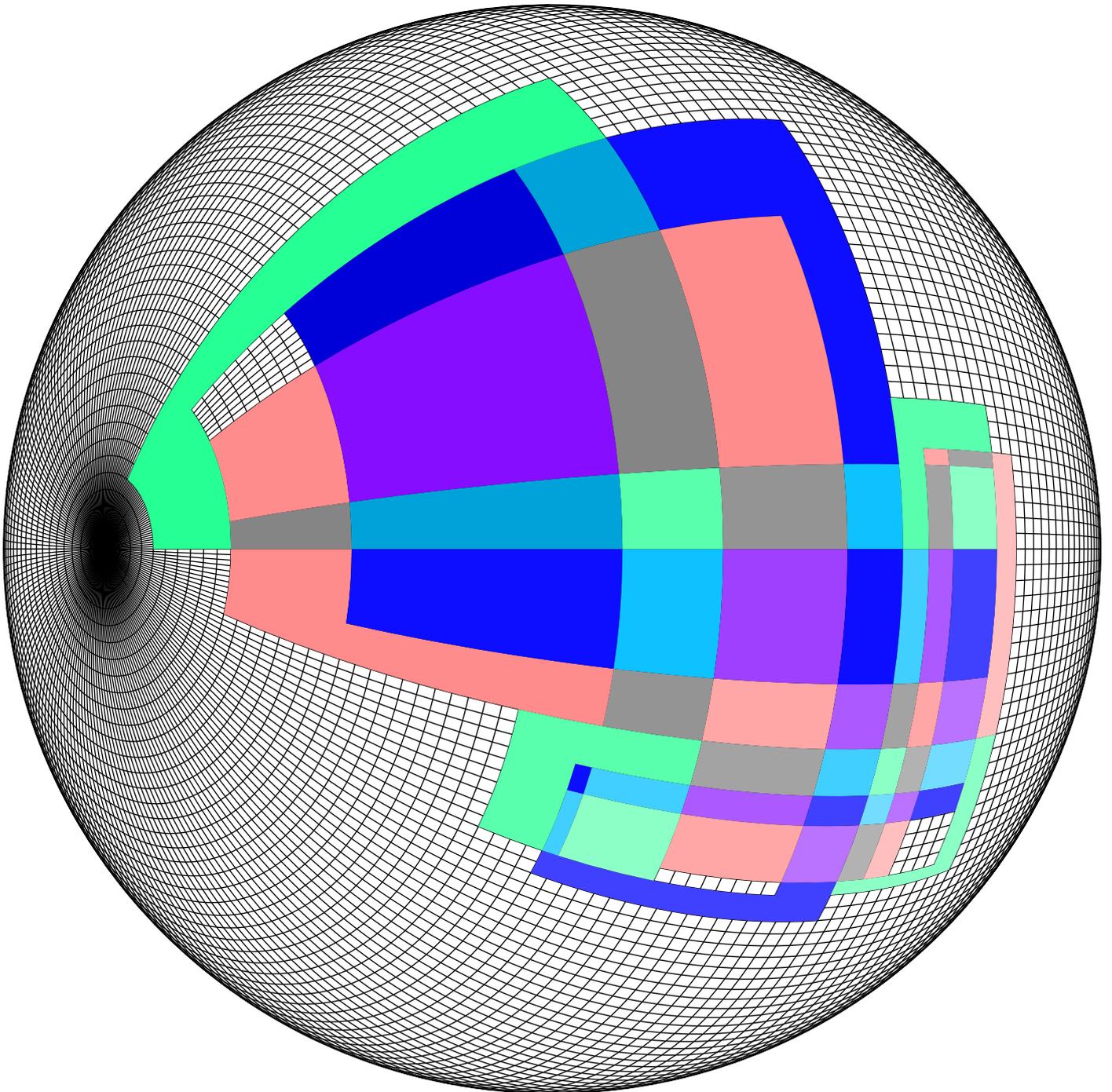
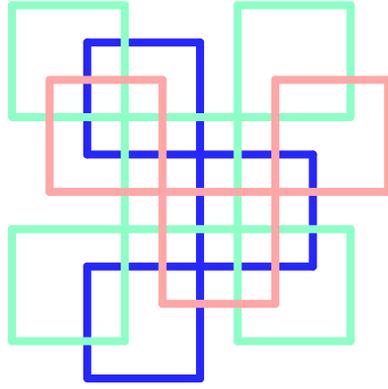




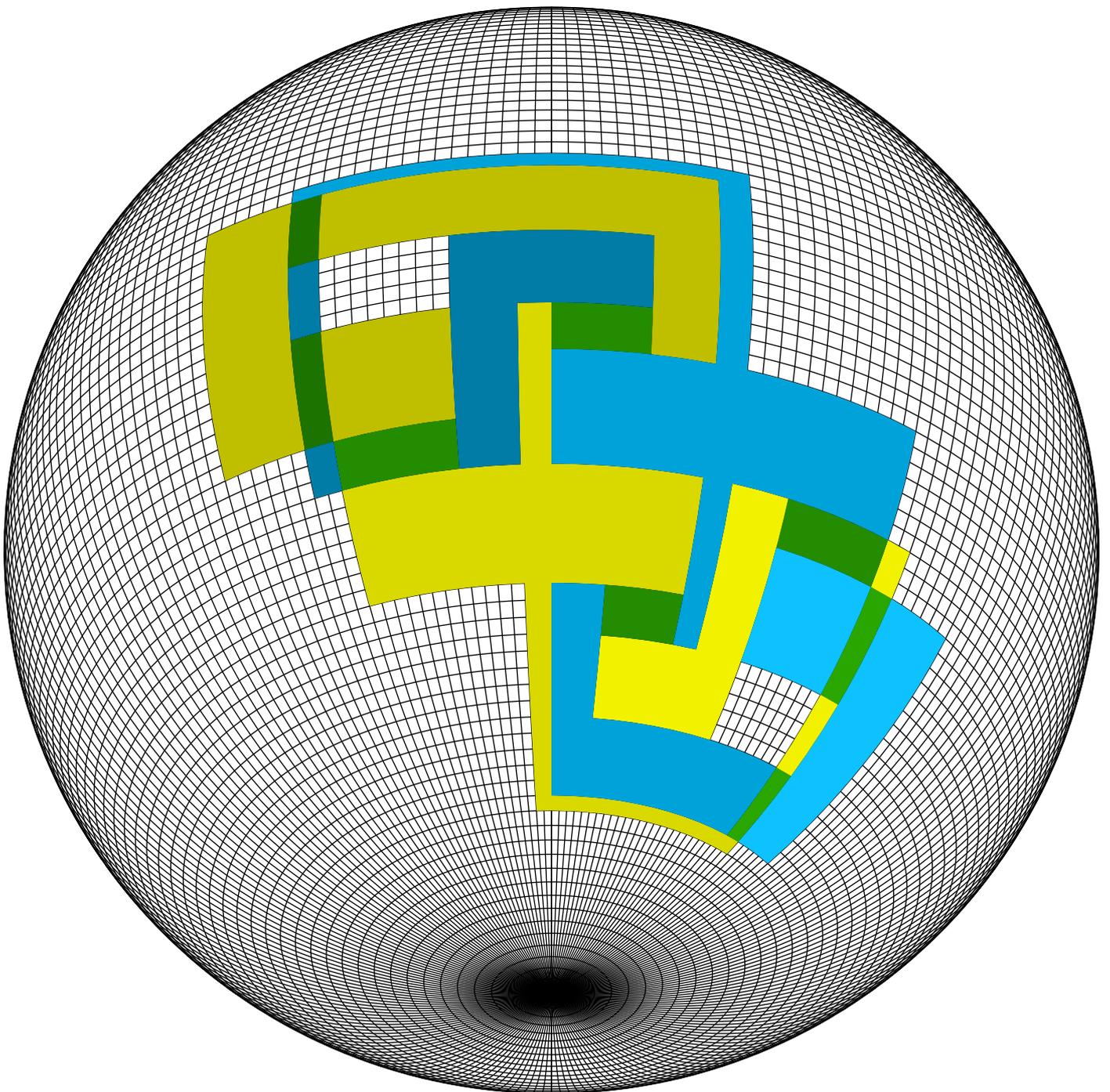
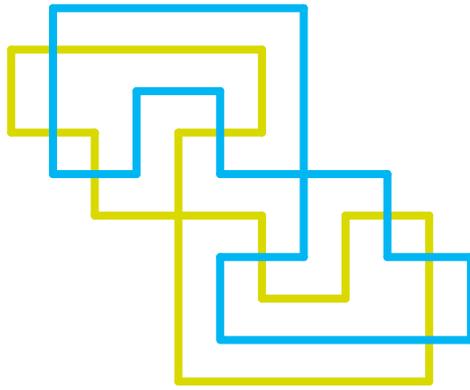
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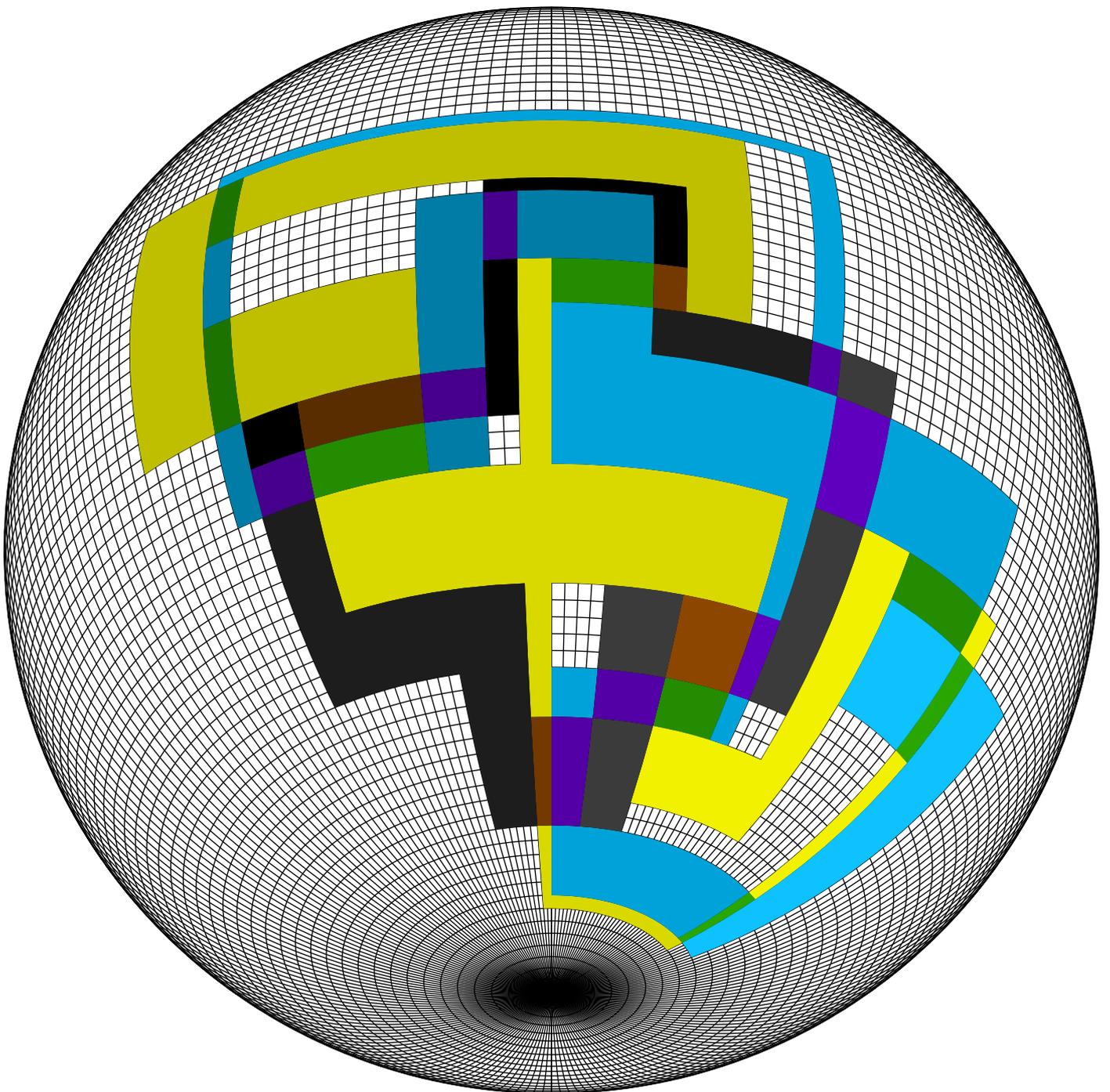
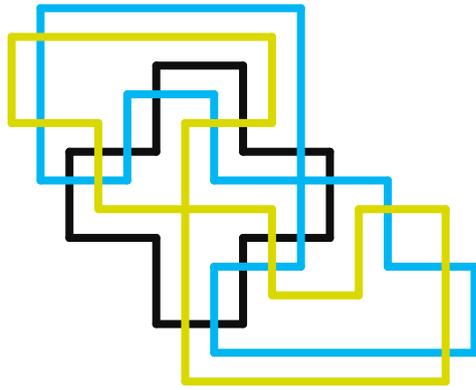




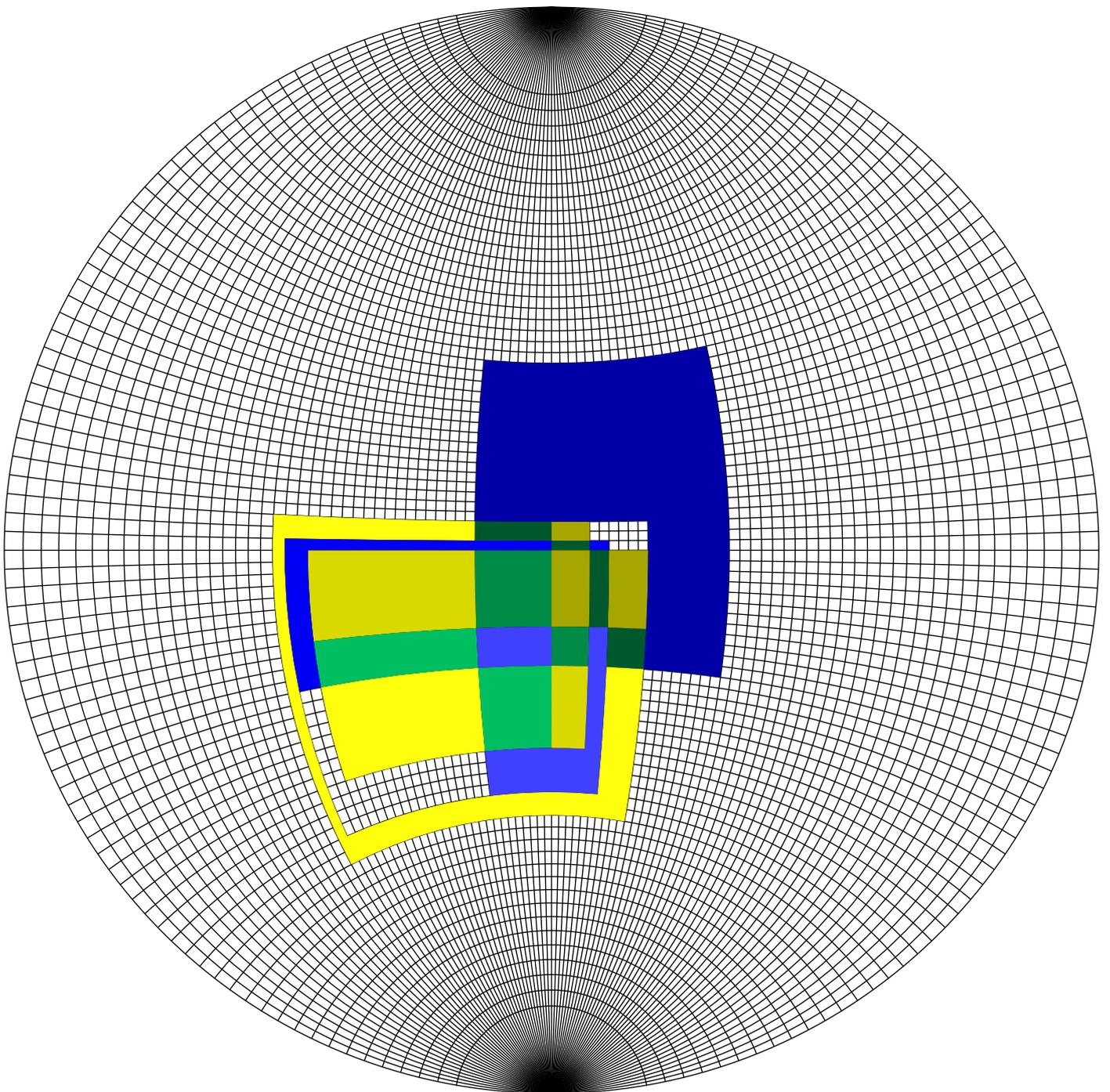
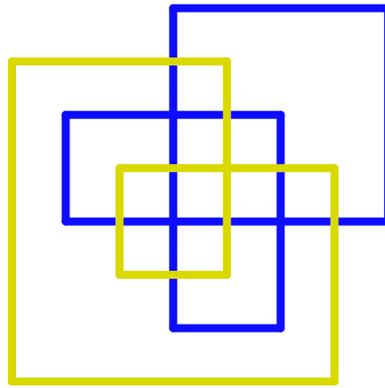
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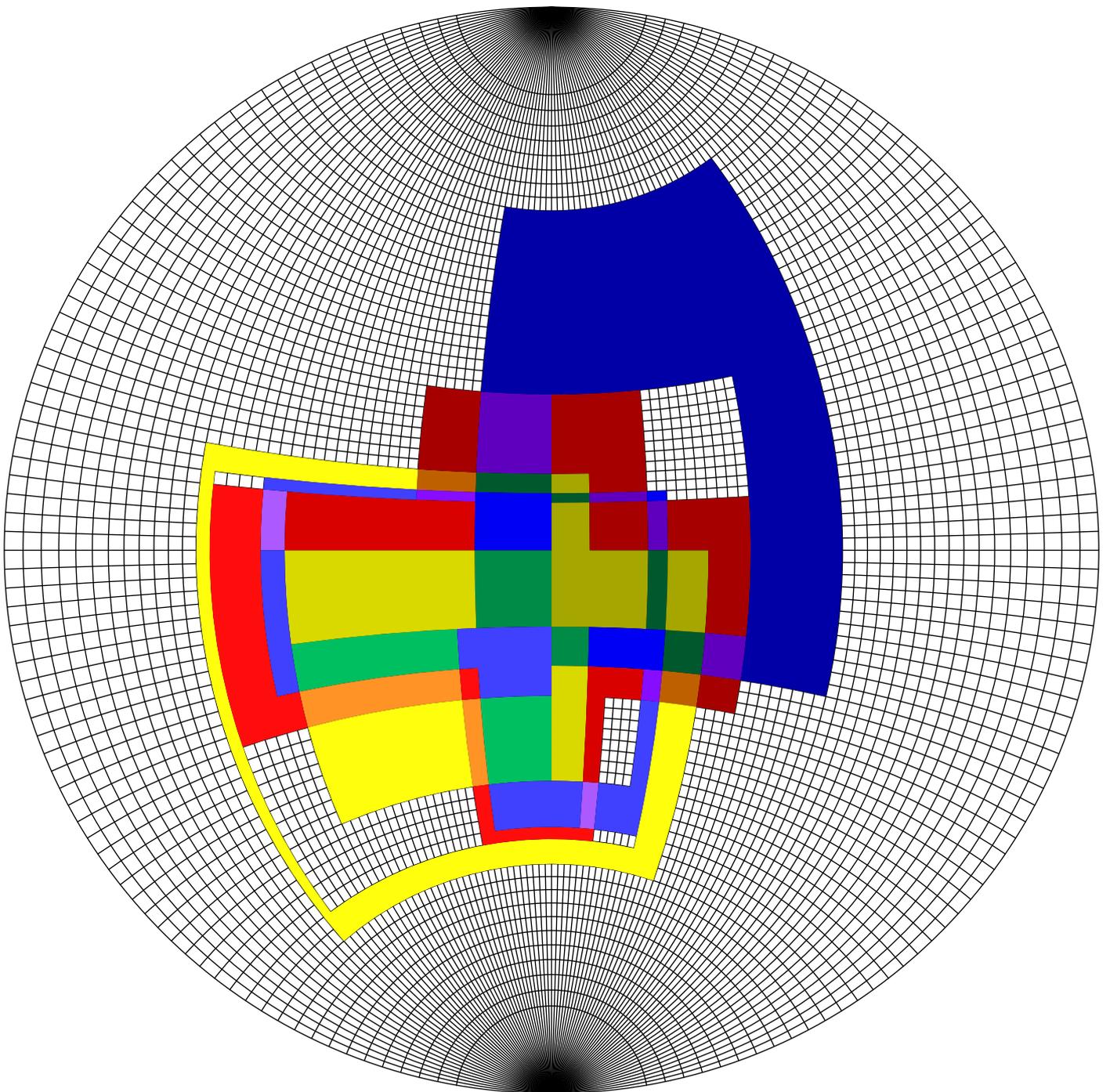
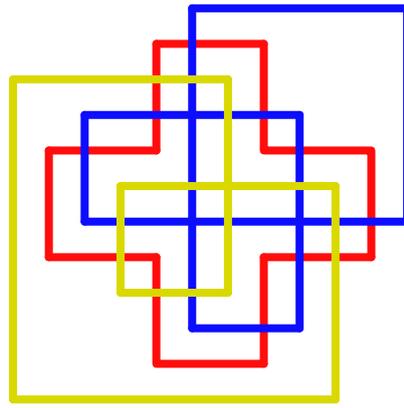
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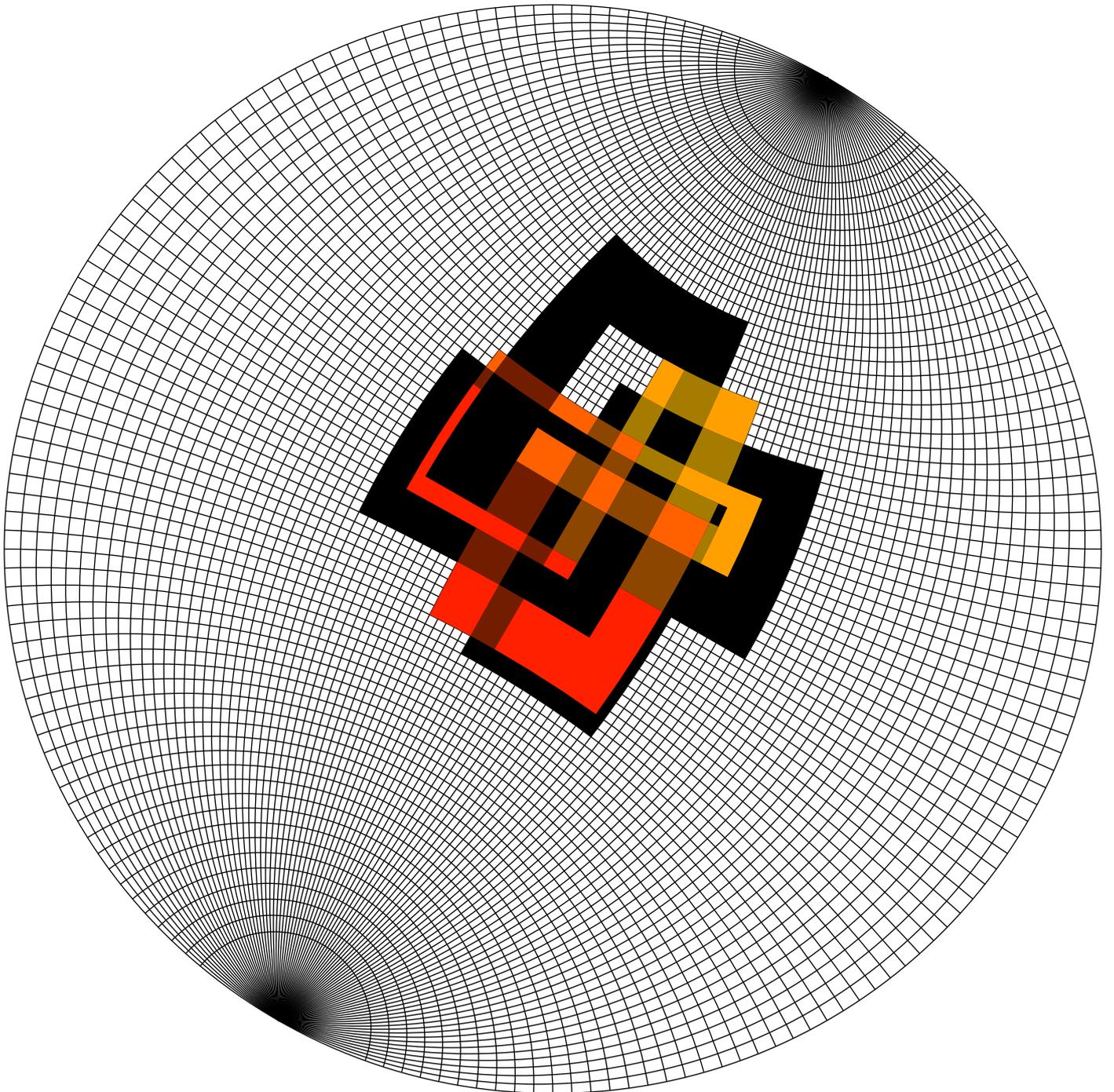
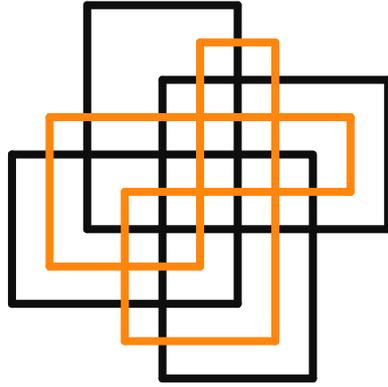
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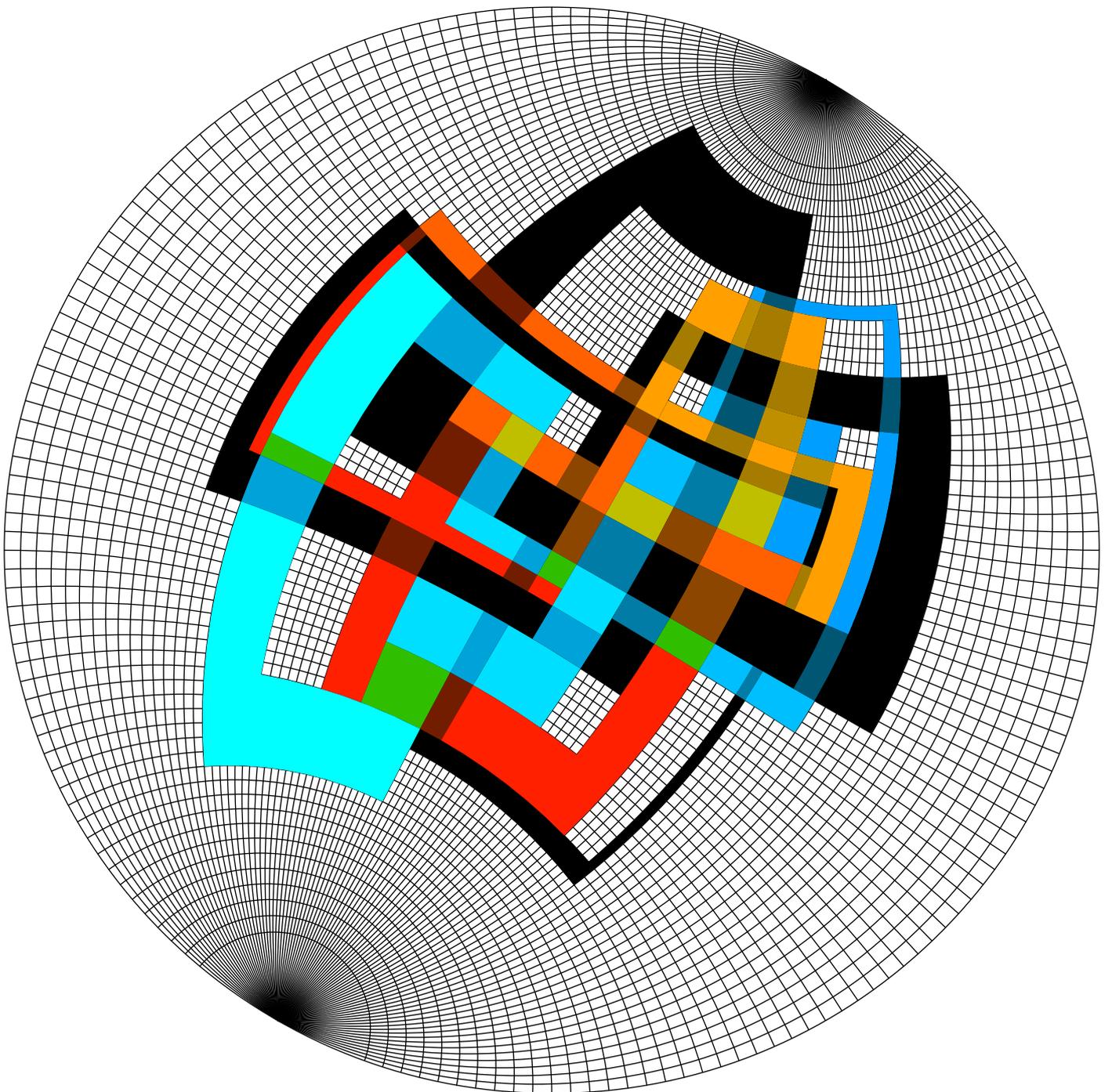
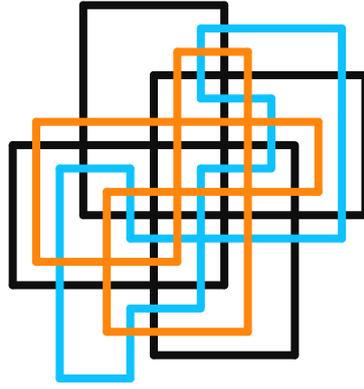


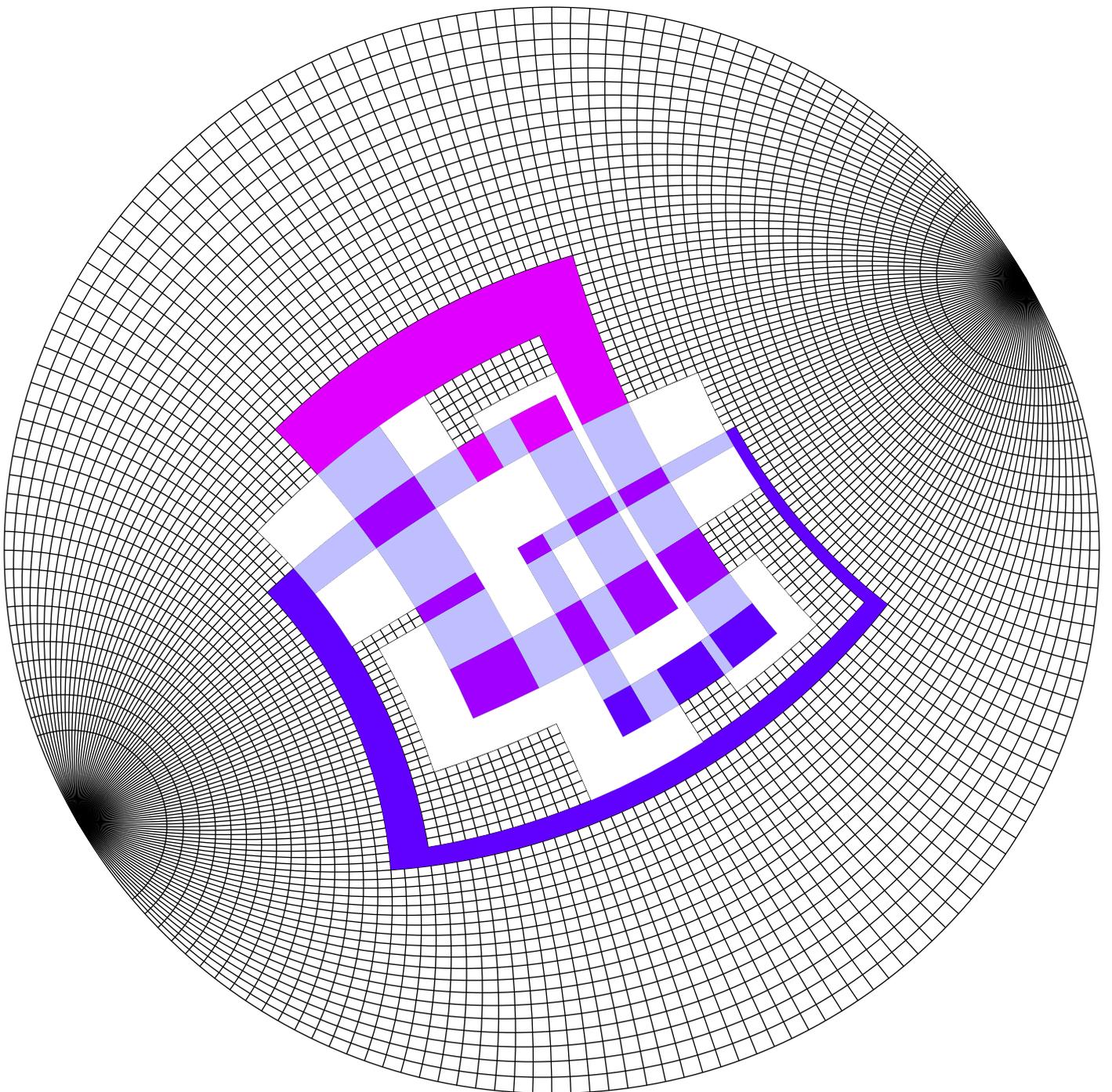
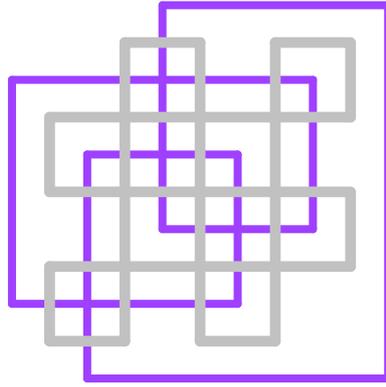
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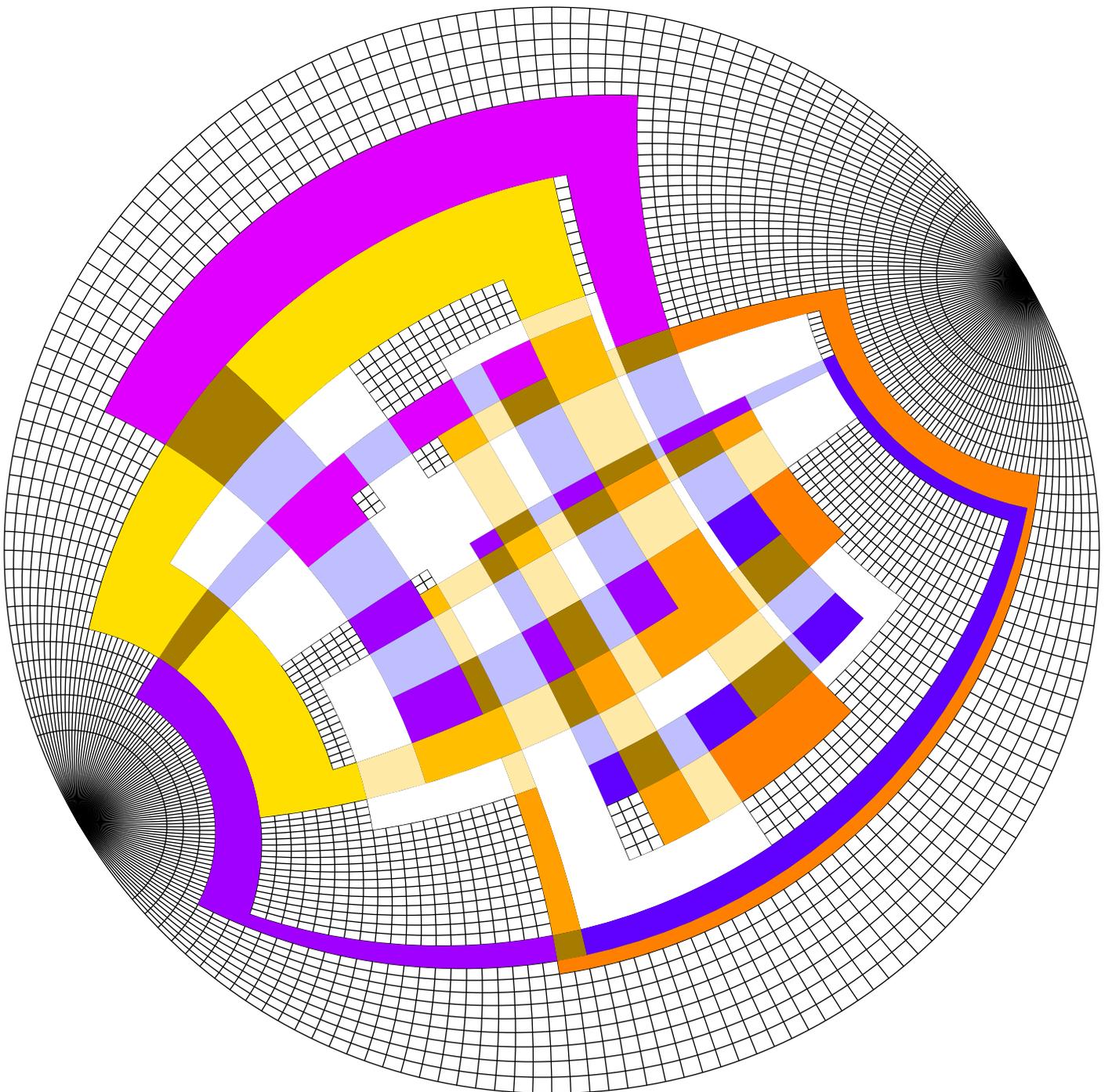
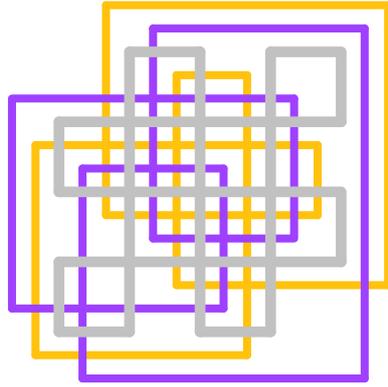


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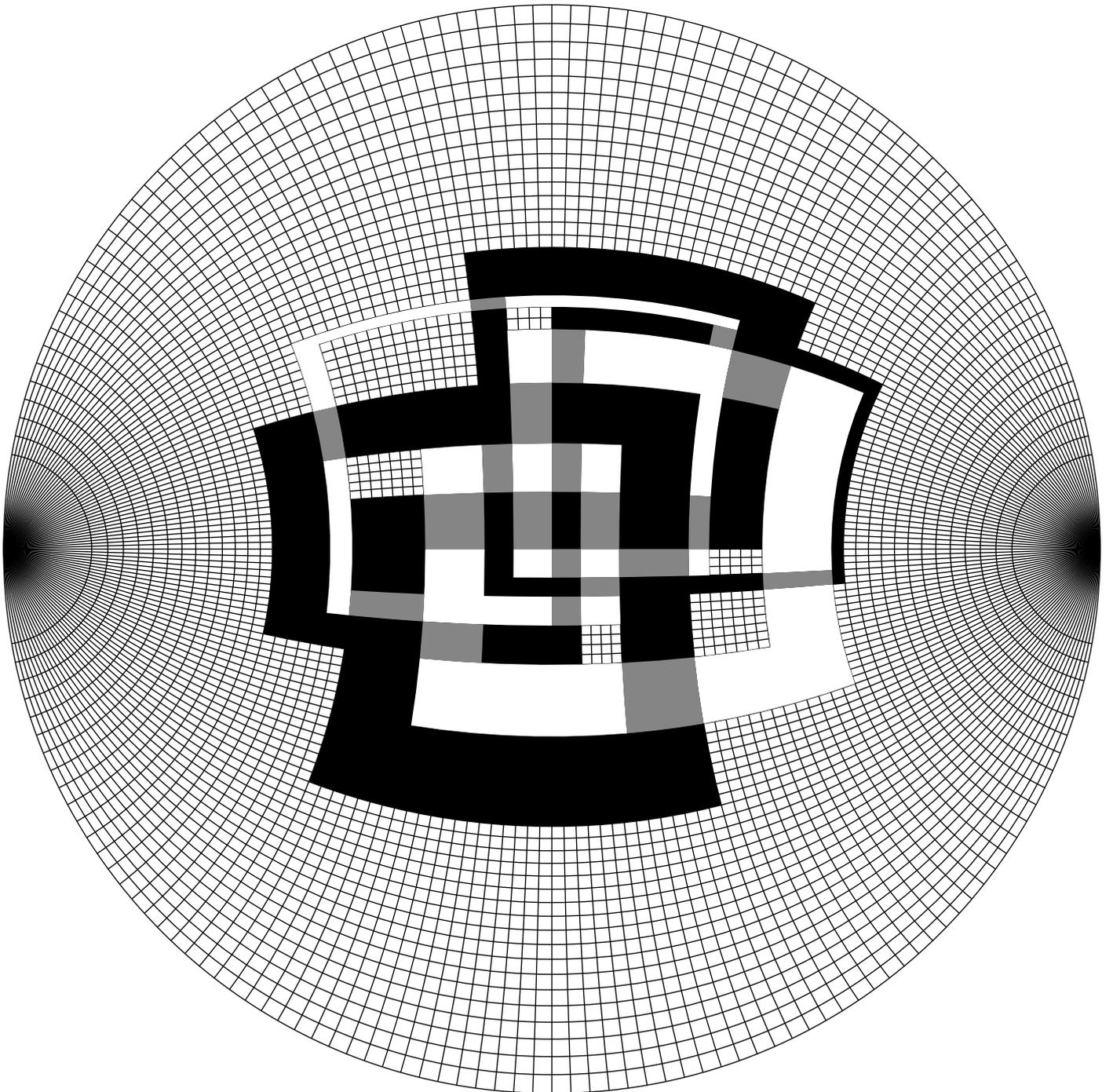
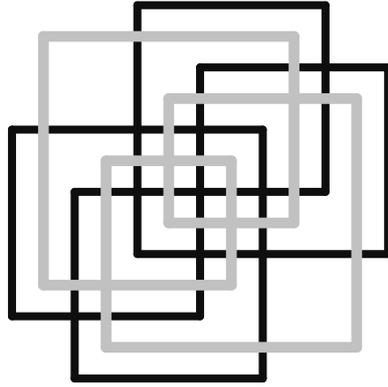




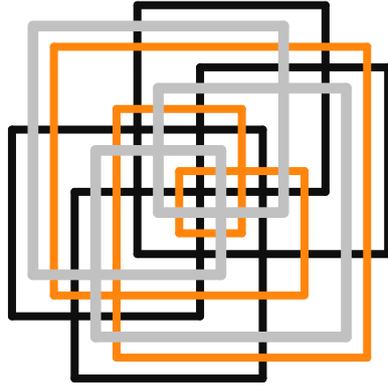


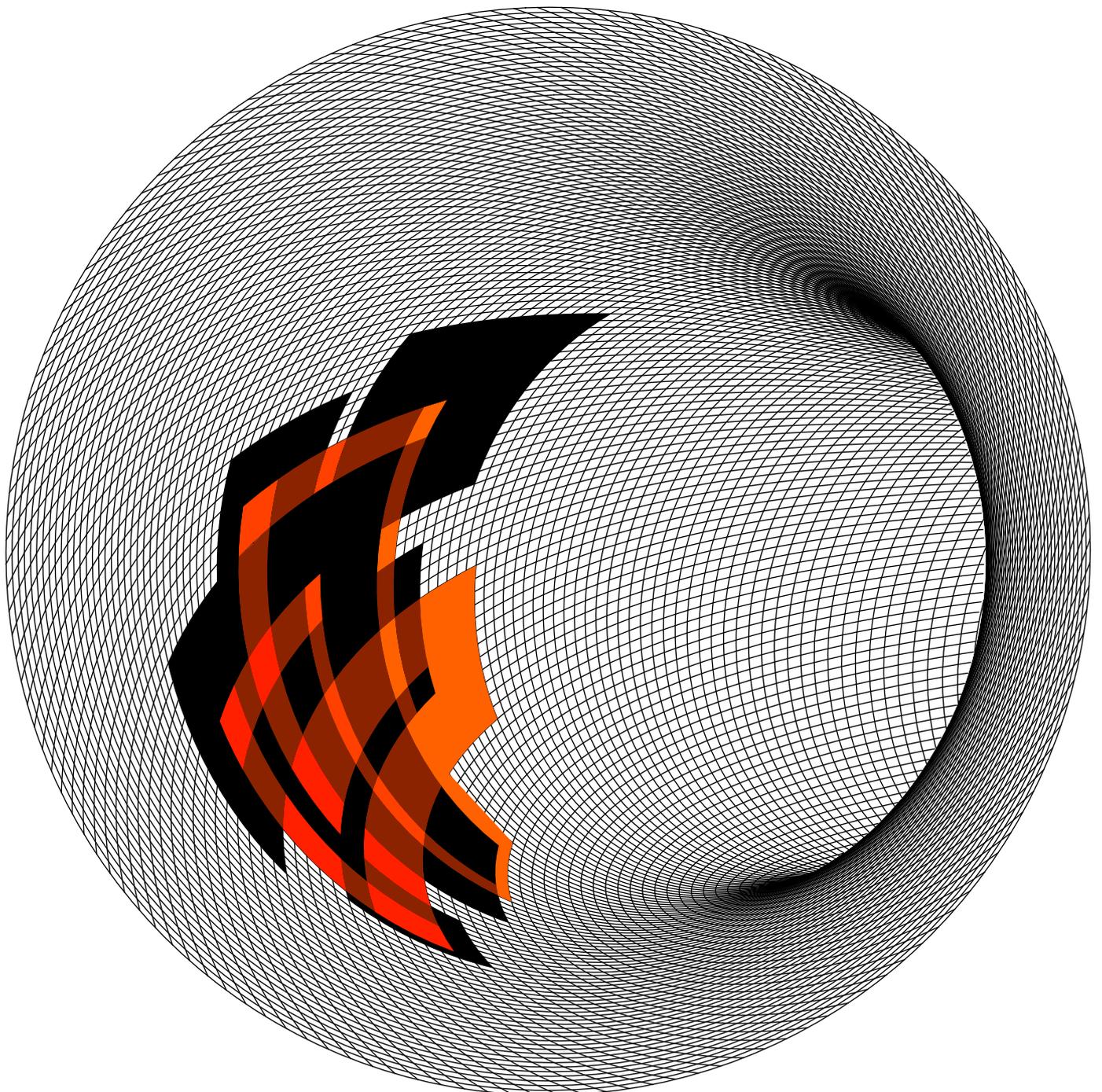
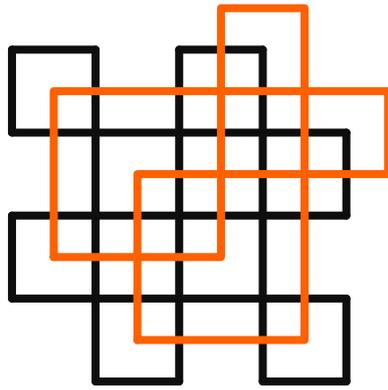


KN 20 (31- 33)



KN 20 (31- 33- 47)





KN 21 (20- 52- 54)

